

KS2 Maths

STUDY
SQUAD

SATs Practice Workbook

Ages 10-11

REASONING

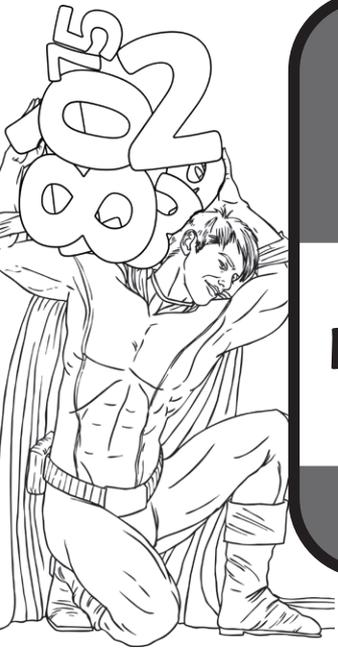
BOOK 1



Name:



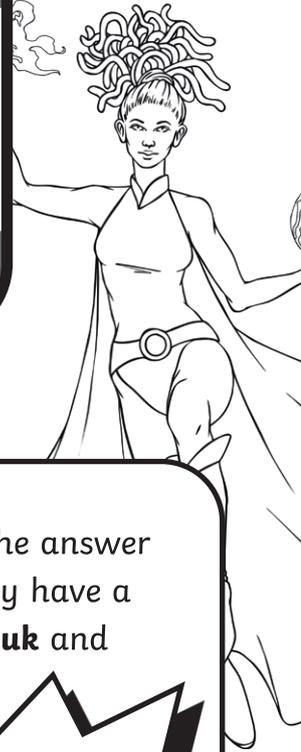
Boost test confidence and results with our curriculum-aligned bite-sized revision.



STUDY SQUAD

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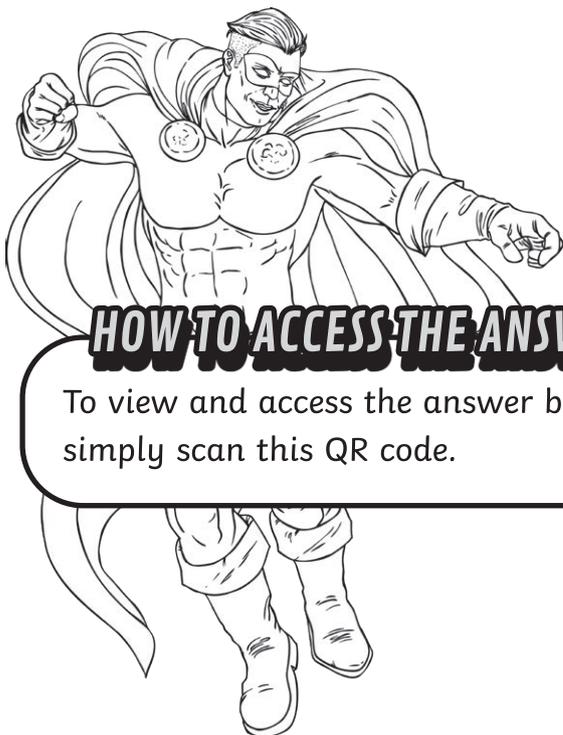
NEW RECRUIT



HOW TO ACCESS THE VIDEOS AND GAMES

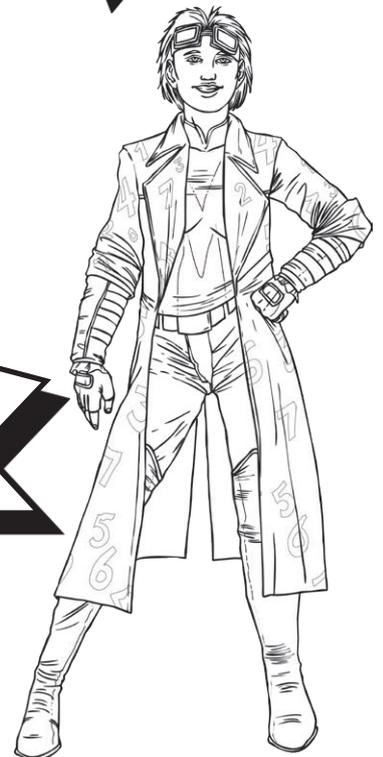
To view and access the concept revision videos, interactive Go! Games and the answer booklet, your adult will need a **Twinkl account**. If your adult doesn't already have a Twinkl account, they can create a **free account** by going to www.twinkl.co.uk and selecting **'Join'** in the top right-hand corner.

The QR codes throughout the workbook are a great way of accessing the interactive activities but you can also find them on the Study Squad page. Simply scan this QR code to explore the whole **Study Squad range**.



HOW TO ACCESS THE ANSWERS

To view and access the answer booklet, simply scan this QR code.



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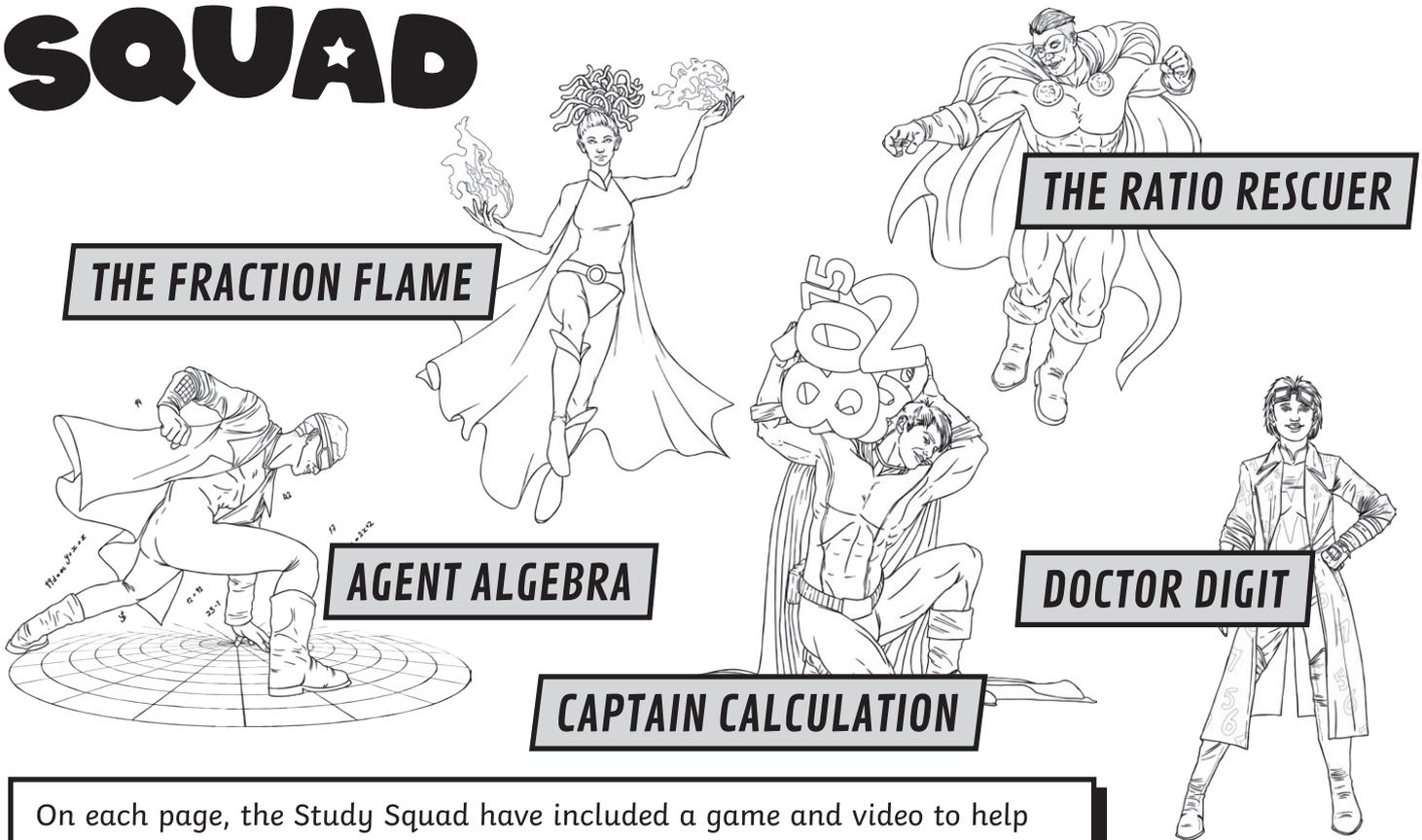
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MEET THE STUDY SQUAD

STUDY SQUAD

Each of the **Maths Heroes** has a superpower relating to a particular unit of maths. Together, they will guide you through the concepts in this workbook.



On each page, the Study Squad have included a game and video to help you boost your maths superpower. Scan the QR codes, using a device with a camera and internet access, to continue your hero training.

You'll get to know the **Study Squad** children as they pop up throughout the workbook.

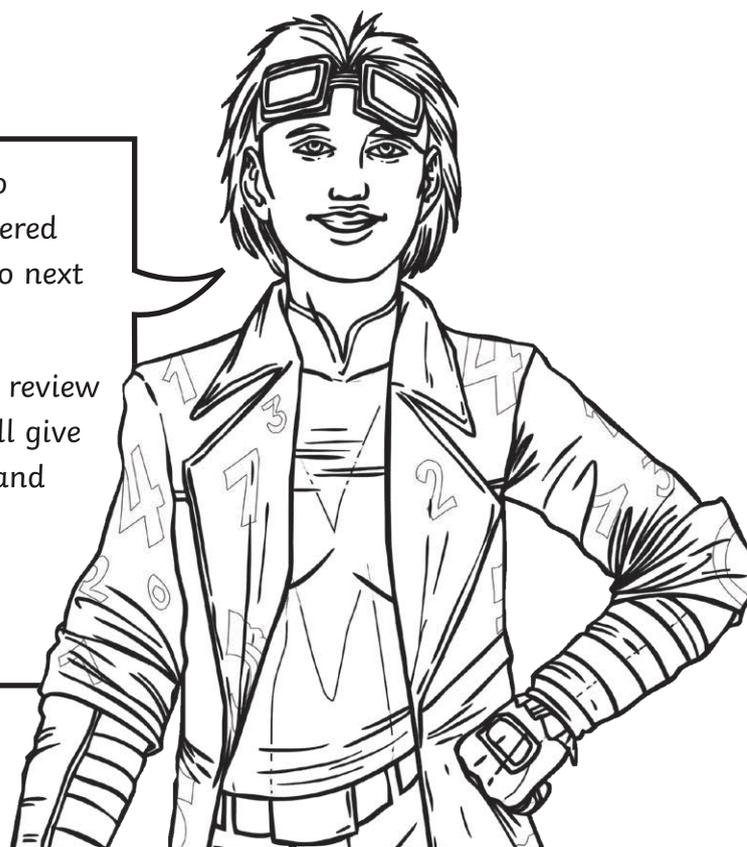


SELF-REFLECTION INSTRUCTIONS

After each concept, you will have the opportunity to reflect on your understanding. Once you have answered all of the questions, colour or shade in the superhero next to the statement that you most agree with.

At the end of each concept, use the self-reflection to review which areas you found trickier than others. This will give you an idea of which areas you need support with and which areas you are more confident with.

Ready for your first maths mission?



I DON'T UNDERSTAND THIS YET!

I found this tricky. I need support with this.



I MOSTLY UNDERSTAND THIS!

I can do this mostly but sometimes I need support.
I may need some more practice.



I COMPLETELY UNDERSTAND THIS!

I can do this by myself. I could explain how to solve these questions to someone else.

REASONING ABOUT PLACE VALUE

SUPERCARGE!

SCORE: /4

True or false?

a) 1 903 768 in words is ninety hundred thousand, three thousand, seven hundred and sixty-eight.

b) 558 in Roman numerals is DLVIII.

c) $4.5 + 0.2 > 5.2 + 0.5$

d) $6^2 + 2^3 < 2^2 \times 10$

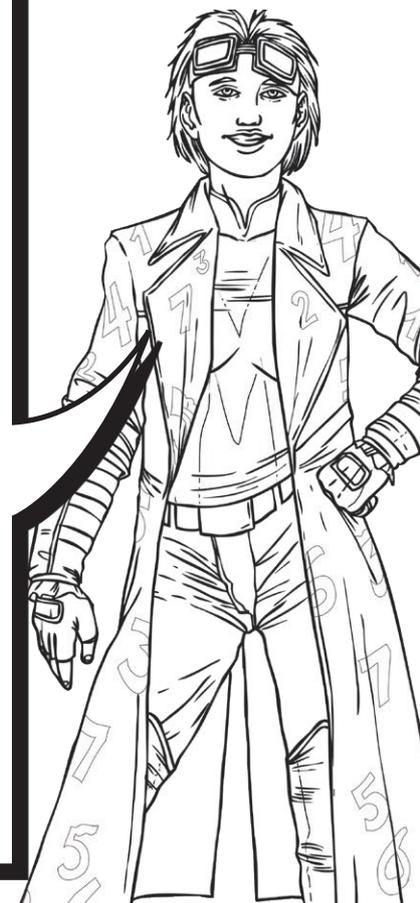
a) False b) True c) False d) False

BOOST YOUR SUPERPOWERS

All numbers are made up of **digits**. We need to know the **place value** of each digit to read and write large numbers.

The value of a digit becomes **ten times greater** as its place value position moves to the left.

1	ones
10	tens
100	hundreds
1000	thousands
10 000	ten thousands
100 000	hundred thousands
1 000 000	millions
10 000 000	ten millions



MATHS MISSION

1

Write the number **932 407** in words.

1 mark

2

Look at the number **36 974 082**.

a) Which digit is in the ten thousands column?

1 mark

b) Which digit is in the millions column?

1 mark

3

Write the number that is four thousand **less than** two million.

1 mark

4

The numbers in this sequence **decrease** by the same amount each time.

1 827 921 1 817 921 1 807 921 1 797 921

What number would come next in the sequence?

1 mark

5

Felix has written the number **16 100 439** in words.

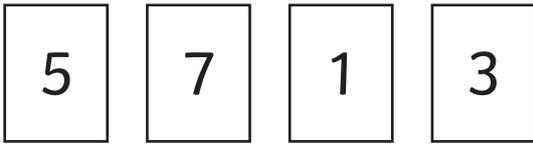
sixteen million, one hundred and forty-three thousand and nine

Explain the mistake that Felix has made.

1 mark

6

Here are four digit cards.



Elena uses each card once to make a **four-digit** number.

Elena places:

- 3 in the tens column;
- 1 so that it has a lower value than any of the other digits;
- the remaining two digits so that 7 has the higher value.

Write a digit in each box to show Elena's number.

Four empty rectangular boxes are arranged horizontally, intended for the student to write the digits of the number.

1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

COMPARING AND ORDERING POSITIVE INTEGERS

SUPERCARGE!

SCORE:

Compare the following numbers with one of these symbols: $<$, $>$ or $=$.

a) 4807 4708

d) 3235 3325

b) 2672 2627

e) 7436 7346

c) 1907 1907

f) 5919 5991

Answers: a) $>$ b) $<$ c) $=$ d) $<$ e) $>$ f) $>$

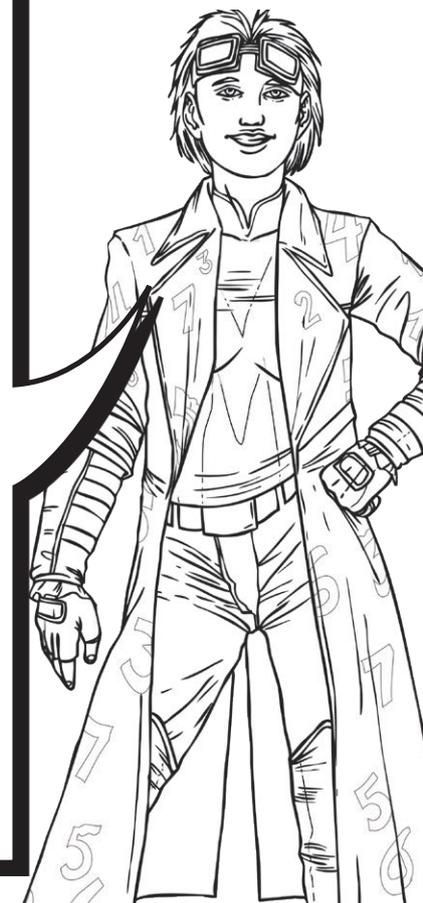
BOOST YOUR SUPERPOWERS

When **ordering** or **comparing** numbers, we compare the place value of the digits in each number, starting with the digits in the **largest place value** column on the far left.

If the numbers have the **same digit** in a place value position, we look at the digits in the place value column to the **right** until we find a **difference**. We can use the symbols $<$ (**less than**) and $>$ (**greater than**) to compare numbers.

$34\ 871\ 243 > 34\ 718\ 432 < 34\ 871\ 243$

Millions			Thousands			Ones		
H	T	O	H	T	O	H	T	O
	3	4	8	7	1	2	4	3
	3	4	7	1	8	4	3	2



MATHS MISSION

1 Circle the greatest number.

6 348 032 6 436 899 6 386 351 6 437 101 6 340 832



1 mark

2 Write the smallest and greatest possible numbers that can be used in these comparisons.

$$323\ 719 < \square < 332\ 719$$

a) smallest:

b) greatest:



1 mark

$$7\ 091\ 910 < \square < 7019\ 109$$

c) smallest:

d) greatest:



1 mark

3 Order the numbers starting with the **largest**.
Match each number with its order.

6 570 481

1st largest

6 075 481

2nd

6 750 481

3rd

6 057 481

4th smallest



1 mark

4

Write a digit in each box so that the numbers are written in order, from **smallest to largest**.

a) 5 62 073

b) 5 628 46

c) 937 348

d) 6 42 763

e) 6 042 76

smallest



largest



3 marks

5

Drew says,

DREW



94 672 is greater than 801 213
because 9 is greater than 8

Explain why Drew is **not** correct.

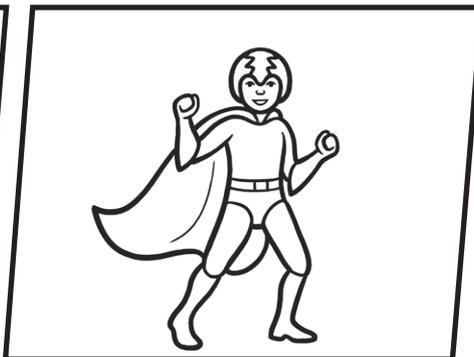
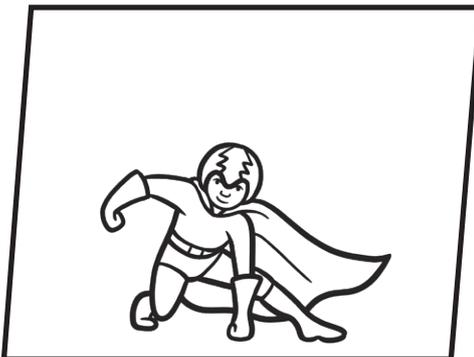


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

NEGATIVE INTEGERS

SUPERCHARGE!

SCORE: /4

Each emoji represents a number. Calculate the number that each emoji represents.

a) 😊 + 11 = 6

b) -7 + 😂 = 15

c) -2 - 😏 = -9

d) 😜 + 11 = -5

a) 😊 =

b) 😂 =

c) 😏 =

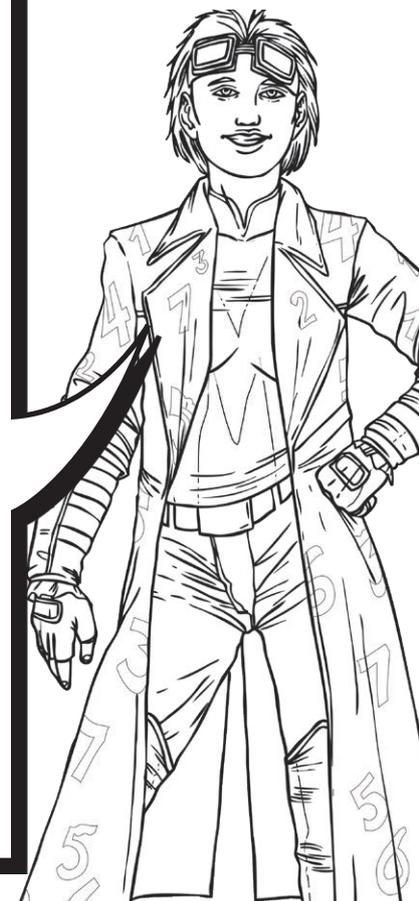
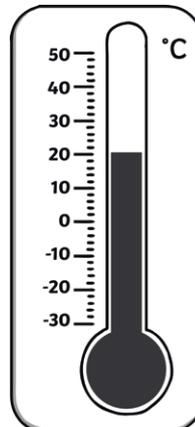
d) 😜 =

Answers: a) -5 b) 22 c) 7 d) -16

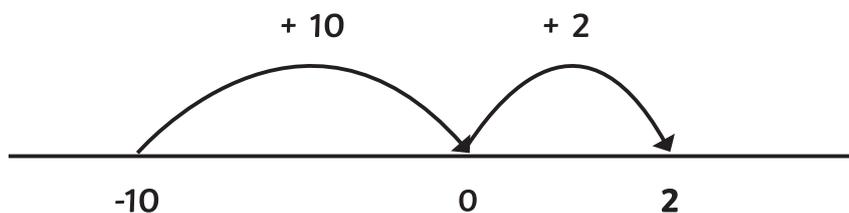
BOOST YOUR SUPERPOWERS

Negative numbers are numbers **below zero**. They are expressed with a negative sign before the number. The **negative sign tells you how far away a number is from zero**. -6 is six steps away from zero.

When solving a problem that involves crossing zero, it can be useful to draw a number line.



$-10 + 12 = 2$

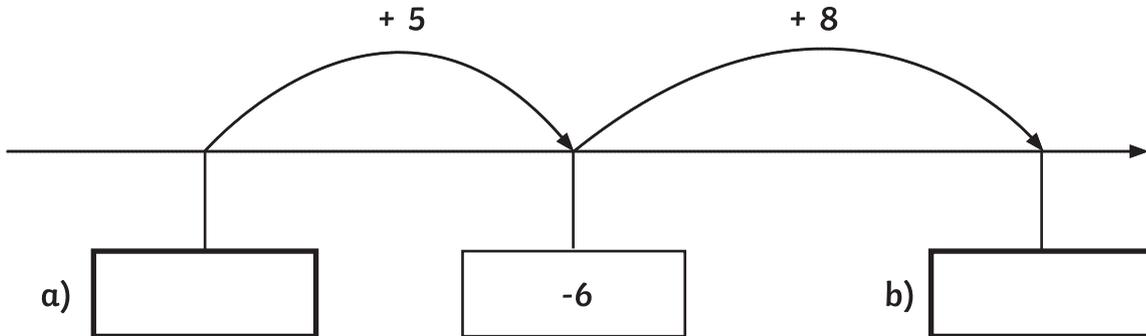


MATHS MISSION

1

Here is part of a number line.

Write the missing numbers in the boxes.



2 marks

2

Here is a sequence of numbers. The rule is to **subtract** the **same amount** each time.

Write in the missing numbers.



1 mark

3

Here are the temperatures, at the superhero hideouts, at 9 a.m. and 9 p.m.

Hideout	Temperature	
	9 a.m.	9 p.m.
Ice Caves	-7°C	-15°C
Fire Cavern	34°C	11°C
Plasma Palace	-5°C	9°C
Hero Hideaway	-1°C	3°C

a) How much **colder** were the **Ice Caves** than the **Fire Cavern** at **9 a.m.**?

 °C


1 mark

b) Which city was **4 degrees hotter** at 9 p.m. than 9 a.m.?



1 mark

4

The superheroes are building a new tower hideout.

Doctor Digit says,

DOCTOR DIGIT



If we build a floor on every level from level -5 to level 20, the tower will have 25 floors in total.

Do you **agree** or **disagree** with Doctor Digit?

Explain your answer.

Agree / Disagree

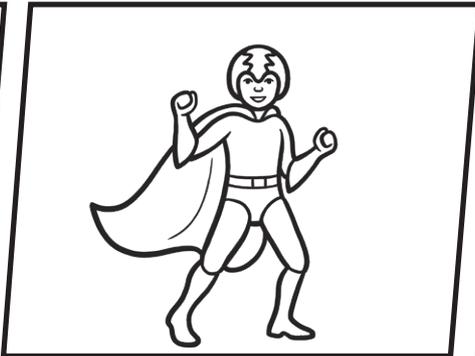
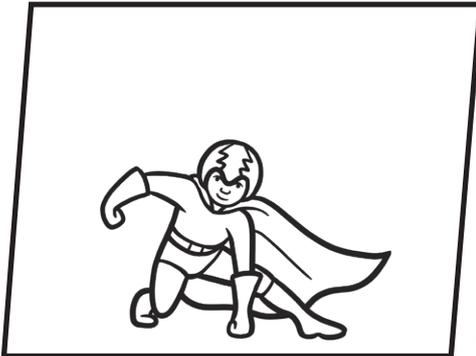


1 mark



TOTAL

MISSION COMPLETE!



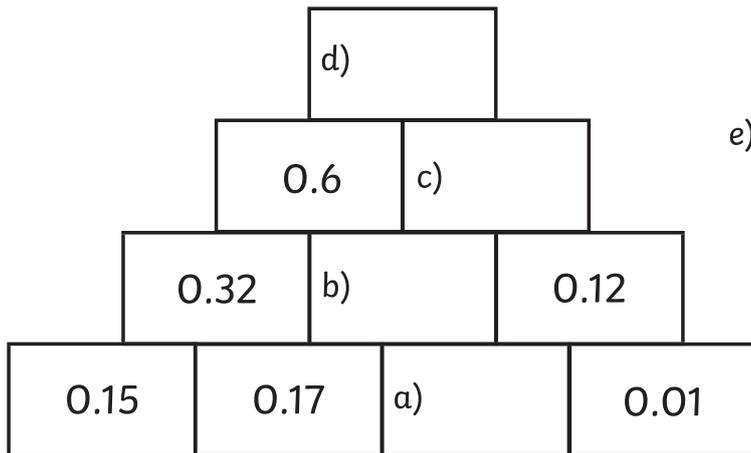
How confident do you feel?

COMPARING AND ORDERING DECIMALS

SUPERCARGE!

SCORE:

Use **addition** and **subtraction** calculations to complete the pyramid so that each box is equal to the **sum** of the two numbers directly below it.



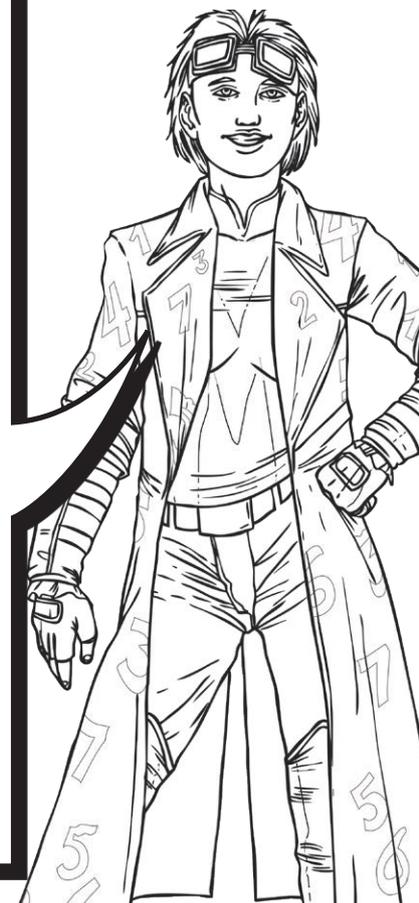
e) What is the total of the answers to parts a, b, c and d?

Answers: a) 0.11 b) 0.28 c) 0.4 d) 1 e) 1.79

BOOST YOUR SUPERPOWERS

To compare decimal numbers, you must look at the place value of each digit in turn, starting with those on the far left as they have the **greatest value**. If the numbers have the **same digit** in a place value column, we look at the digits in the place value column one place to the **right** until we find a **difference**.

27.91 > 27.19			
Tens	Ones	tenths	hundredths
2	7	9	1
2	7	1	9



MATHS MISSION

1 Order the following heights from **shortest to tallest**:



1.82m



1.7m



1.62m



1.77m



1.54m

shortest

tallest



1 mark

2 Write the correct sign $<$, $>$ or $=$ to make these statements correct.

a) 0.9 0.09

b) 1.2 1.22

c) 3.122 3.211



1 mark

3 Circle **all** the numbers that are **greater** than **0.4**.

4.004

0.49

0.04

0.54

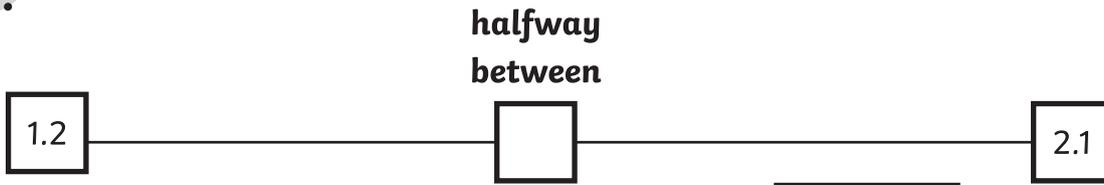
0.375



1 mark

4

What number is **halfway** between 1.2 and 2.1?

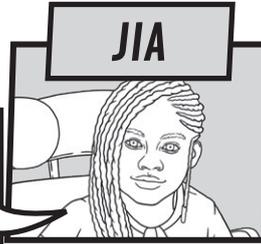


1 mark

5

Jia says,

7.34 is **greater than** 7.4
because 34 is greater than 4



Jia is **incorrect**.
Explain why.

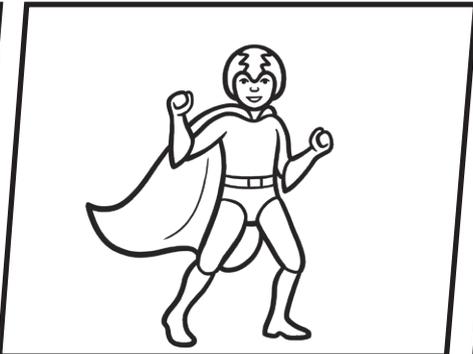
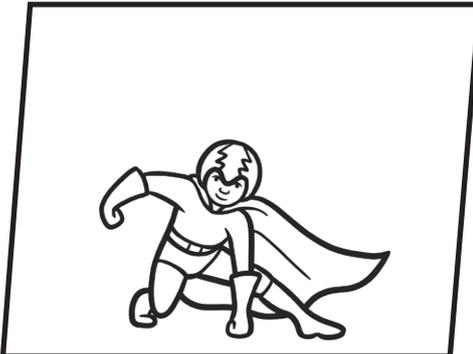


1 mark

/5

TOTAL

MISSION COMPLETE!



How confident do you feel?

ROUNDING POSITIVE INTEGERS

SUPERCARGE!

SCORE: /8

Use the code to reveal the secret word.

t	e	i	y	d	n
1000	8020	4000	3800	700	2100

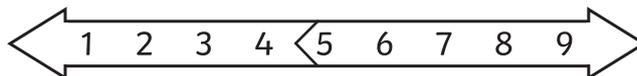
	Answer	Letter
3865 rounded to the nearest 1000		
749 rounded to the nearest 100		
8017 rounded to the nearest 10		
2138 rounded to the nearest 100		
1342 rounded to the nearest 1000		
4003 rounded to the nearest 10		
987 rounded to the nearest 100		
3781 rounded to the nearest 100		

Answer: identity

BOOST YOUR SUPERPOWERS

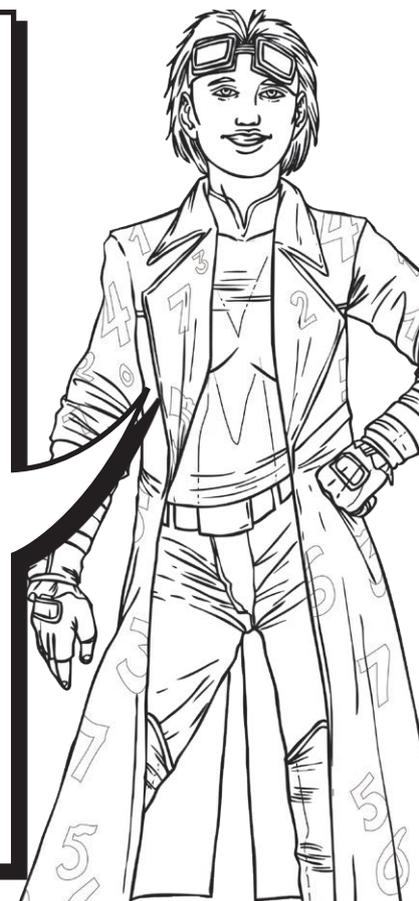
We can round numbers to make **estimates** or to explain how **near in value** a number is to another number. We round whole numbers to different **powers of ten**.

Remember to look at the **digit** one place to the **right** of the **place value column you are rounding to**.



If the digit immediately to the right of the place value column you are rounding to is **0, 1, 2, 3 or 4**, we round the number to the **previous multiple**.

If the digit immediately to the right of the place value column you are rounding to is **5, 6, 7, 8 or 9**, we round to the next multiple.



1

Round 48 274 659 to:

a) the nearest **10 000**

b) the nearest **1000**

c) the nearest **100**



2 marks

2

Elias puts these five numbers in their correct position on a number line.

707

696

713

689

721

a) Write the number **closest** to 700.



1 mark

b) Write the number **furthest** from 700.



1 mark

3

Write the number that is **nearest** to 3000, which uses all of these digits: **1, 2, 3** and **4**.



1 mark

4

Emily thinks of a **whole number**.

She multiplies it by **3**.

She rounds her answer to the nearest **10**.

The result is **20**.

Write **all** the possible numbers that Emily could have started with.



2 marks

5

The **difference** between two **whole numbers** is **4**.

When each number is rounded to the nearest thousand, the difference between them is 1000.

Each number is greater than 3000 but less than 4000.

Write what the two numbers could be.

and

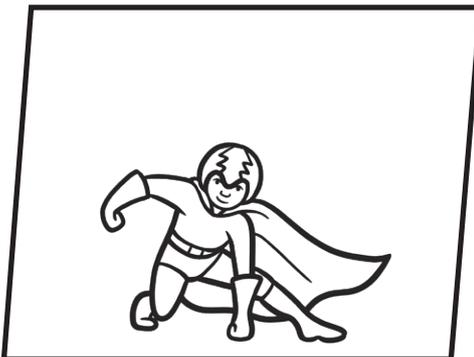


1 mark

/8

TOTAL

MISSION COMPLETE!



How confident do you feel?

ROUNDING DECIMALS

SUPERCARGE!

SCORE:

What number am I?

1) I start with a number.

I multiply it by **10**.

I add **0.2**.

I multiply it by **100**.

I end with the number **520**.

What number did I start with?

2) I start with a number.

I multiply it by **10**.

I add **0.4**.

I multiply it by **7**.

I end with the number **14**.

What number did I start with?

Answers: a) 0.5 b) 0.16

BOOST YOUR SUPERPOWERS

Rounding to the Nearest Whole Number

1) Mark the **ones** digit.

2) Then, look at the **tenths digit**.

3) If the tenths digit is **0, 1, 2, 3 or 4**, we round the number **down** so the **ones digit doesn't change**. If the tenths digit is **5, 6, 7, 8 or 9**, we round the number up so the **ones digit increases by 1**.

4) **Remove** all the digits after the decimal point to get the rounded number.

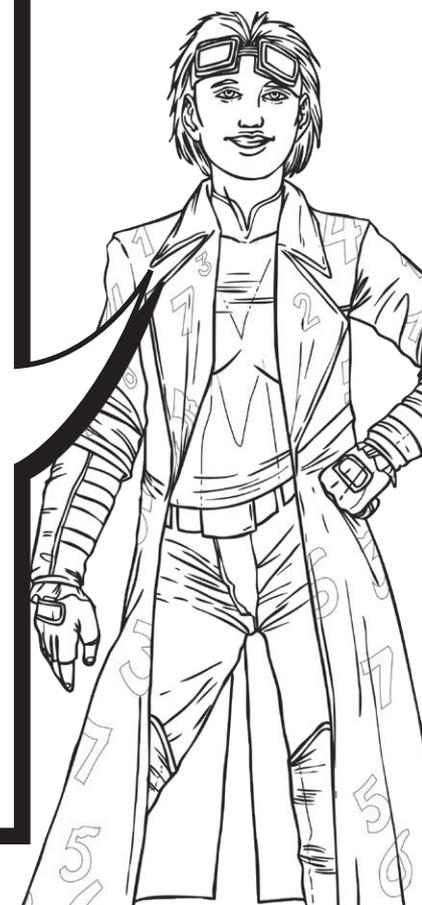
Rounding to the Nearest Tenth

1) Mark the **tenths** digit.

2) Then, look at the **hundredths digit**.

3) If the hundredths digit is **0, 1, 2, 3 or 4**, we round the number **down** so the **tenths digit doesn't change**. If the hundredths digit is **5, 6, 7, 8 or 9**, we round the number up so the **tenths digit increases by 1**.

4) **Remove** all the digits to the **right** of the tenths digit to get the rounded number.



1

Write in the missing numbers.

		Rounded to the nearest whole number
a)	6.01	
b)	9.61	
c)	14.51	
d)	17.19	



2 marks

2

Circle **all** the numbers that round to **32.7** when rounded to the nearest tenth.

32.68

32.07

32.72

32.27

32.56



1 mark

3

Elena is thinking of a number with two decimal places.
Rounded to the **nearest whole number**, her number is **8**.
Rounded to the **nearest tenth**, her number is **7.8**.

a) Circle all the possible numbers Elena could be thinking of.

7.97

8.05

7.81

8.22

7.84

7.75



1 mark

b) Write two more **different numbers** that Elena could be thinking of.
They must have **different tenths digits** from each other.

and



1 mark

4

Joseph bought string to make **two** necklaces.
One necklace was 35.8cm long.
The second necklace was 40.9cm long.

What is the shortest length of string Joseph had to buy to make both necklaces? **Round** your answer to the **nearest cm**.

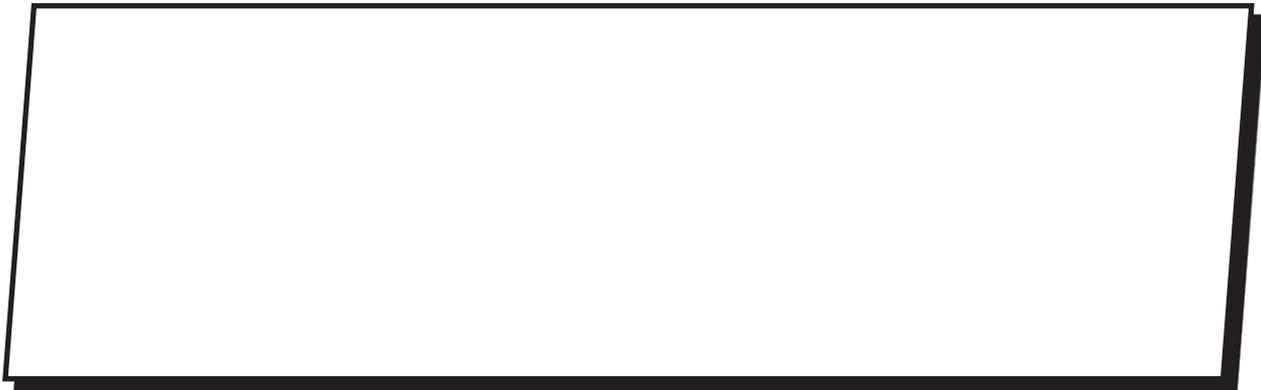
show
your
method



2 marks

5

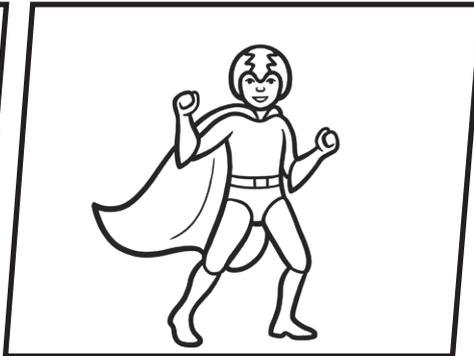
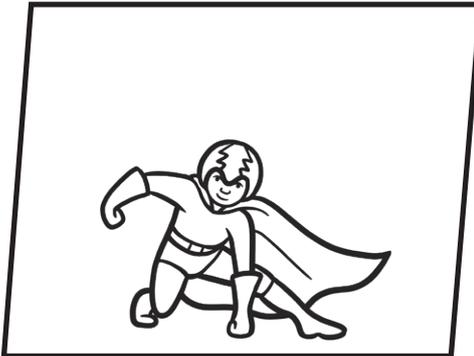
Amrit rounds 5.65 to the **nearest tenth** and writes 5.6 as her answer.
Amrit is **incorrect**. **Explain** how you know.



1 mark

/8
TOTAL

MISSION COMPLETE!



How confident do you feel?

ROMAN NUMERALS

SUPERCARGE!

SCORE: /7

Match the value of each calculation to its answer written as a Roman numeral.

- | | | | | | | |
|-----------------|-----------|-------------|---------------|----------------------|----------------|----------------|
| a) 5×2 | b) 10^2 | c) $-3 + 4$ | d) double 250 | e) $10\,000 \div 10$ | f) half of 100 | g) $3 < ? < 7$ |
|-----------------|-----------|-------------|---------------|----------------------|----------------|----------------|

I

M

V

X

D

C

L

Answers: (a) X (b) C (c) I (d) D (e) M (f) L (g) V

BOOST YOUR SUPERPOWERS

Roman numerals are based on seven different symbols that are combined to represent different values.

I	V	X	L	C	D	M
1	5	10	50	100	500	1000

When a symbol with a **smaller value** is placed **after** a symbol with an equal or **greater value**, we use **addition**.

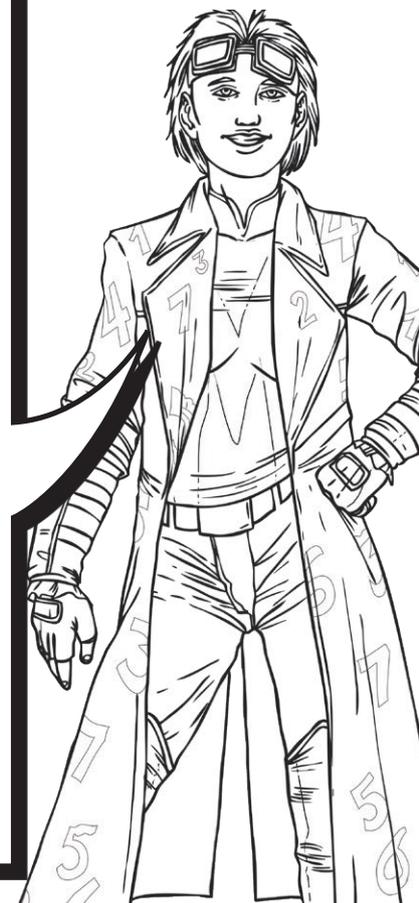
VI = 6 because we read the symbols as 5 + 1

MMMDCXXV = 3525 because we read the symbols as 1000 + 1000 + 1000 + 500 + 10 + 10 + 5

When a symbol with a **smaller value** is placed **before** a symbol with a **greater value**, we use **subtraction**.

IV = 4 because we read the symbols as 5 - 1

CMXLIX = 949 because we read the symbols as (1000 - 100) + (50 - 10) + (10 - 1)



1

Here is a number written in Roman numerals.

MMDLXIV

Write the number in digits.



1 mark

2

Complete the table.

	Number	Roman Numerals
	62	LXII
a)		CCCXLV
b)		MDIX



2 marks

3

Hari has written four numbers in Roman numerals and in digits.
Circle Hari's **mistake**.

CCCXX = 320 CCXC = 290 CXXX = 130 XC = 110



1 mark

4

Look at these numbers written in Roman numerals.

CDXXXVII DCLXI CCLIX DCV

a) Circle the smallest number.

b) What is the value of the largest number?



2 marks

5

Zeke says,

On my Roman numeral clock face, the big hand is on the VII and the little hand is between the IV and the V.



What is the time on Zeke's clock face?



1 mark

6

Write the answers to these calculations in **Roman numerals**.
One has been done for you.

IV + VII = XI

a) XLII + LXV =

b) DCXX - CCXC =



1 mark

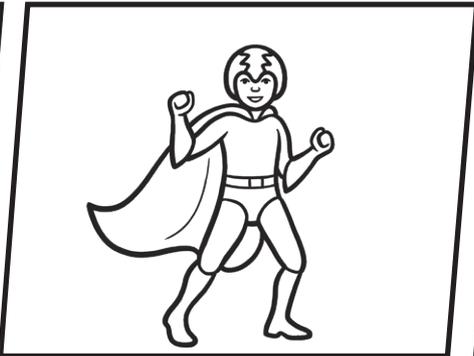
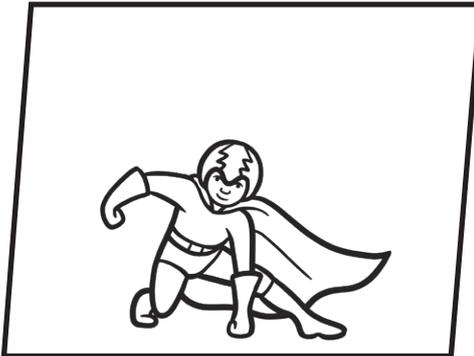


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

NUMBER AND PLACE VALUE MIXED PRACTICE

1 Find the missing values in these partitioned numbers.

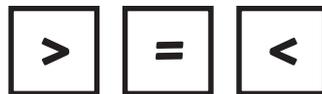
a) $500\ 000 + \boxed{} + 500 + 60 + 3 = 530\ 563$

b) $8\ 000\ 000 + 10\ 000 + 70 = \boxed{}$



2 marks

2 Write the correct symbol in each box to make the statements correct.



a) $9 \times 8 \boxed{} 7 \times 10$

b) $180 \div 30 \boxed{} 240 \div 40$

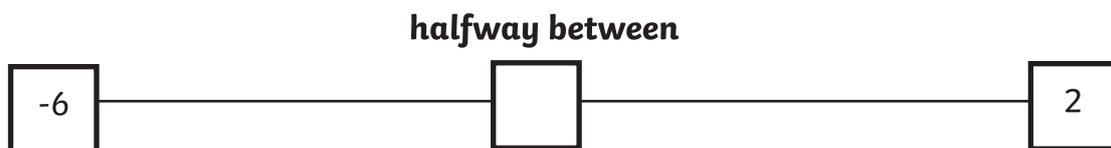
c) $350 \div 5 \boxed{} 20 \div 4$

d) $50 \times 5 \boxed{} 3 \times 80$



2 marks

3 Write in the missing number that is **halfway** between **-6** and **2**.



1 mark

4 Priya is thinking of a 6-digit whole number that, when rounded to the **nearest 1000**, is 200 000.

a) What is the **smallest** possible number that Priya could be thinking of?



1 mark

b) What is the **greatest** possible number that Priya could be thinking of?



1 mark

5

Write these numbers in order, starting with the **greatest**.

6.13

3.6

6.3

6.116

3.16



1 mark

6

Two superheroes have **rounded** this number.

8.45

I rounded it to **1 decimal place**. Then, I rounded the answer I got to the nearest **whole number** and I ended up with 9.



I rounded it to the nearest **whole number** and I got 8.



Explain how this is possible.



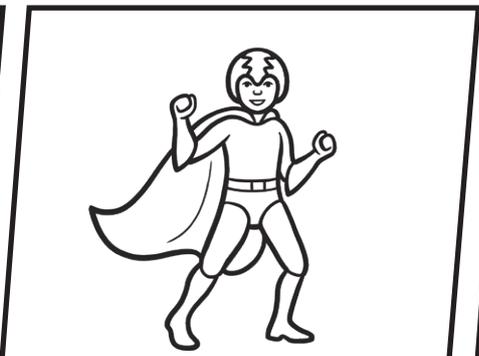
1 mark



/9

TOTAL

MISSION COMPLETE!



How confident do you feel?

PROGRESS TRACKER

Write your scores from each concept in this unit to track your progress.

Reasoning About Place Value	/ 7
Comparing and Ordering Positive Integers	/ 8
Negative Integers	/ 6
Comparing and Ordering Decimals	/ 5
Rounding Positive Integers	/ 8
Rounding Decimals	/ 8
Roman Numerals	/ 9
Number and Place Value Mixed Practice	/ 9
TOTAL	/ 60

SELF-REFLECTION



What went well:



My target to improve:



RECHARGE

It's time to recharge ready for the next unit with this mindfulness colouring page.



WRITTEN ADDITION

SUPERCARGE!

The missing values are whole numbers between 1 and 9 and each digit can only be used once. Each row and each column form a calculation. The answer to each calculation is at the end of the corresponding row or column.

SCORE:

a)	+	b)	+	c)	<input type="text" value="21"/>
+		+		-	
5	-	1	-	d)	<input type="text" value="1"/>
-		-		-	
2	-	9	+	e)	<input type="text" value="-3"/>
<input type="text" value="9"/>		<input type="text" value="-1"/>		<input type="text" value="1"/>	

Answers: a) 6 b) 7 c) 8 d) 3 e) 4

BOOST YOUR SUPERPOWERS

Remember to add the digits in each column, **starting from the right-hand side**.

Only write **a single digit** in the answer box of each place value column. If the total of the digits in any column is greater than 9, regroup to the next place value column on the left.

Remember to **include any regrouped digits** when finding the total of each place value column.

	TTh	Th	H	T	O
	3	5	6	2	8
+		7	9	8	6
	4	3	6	1	4
	1	1	1	1	



1 Write the largest possible whole number to make this statement true.

$$49 + \square < 82$$



1 mark

2 Hari and Abi are playing a video game. Hari scores 192 points. Abi scores 189 points.

How many points do they score in total?

points



1 mark

3 Here are six digit cards.



Use **five** of the digit cards to make this sum correct.

$$\begin{array}{r}
 \square \square \square \\
 + \quad \square \square \\
 \hline
 4 \quad 2 \quad 1 \\
 \hline
 \end{array}$$



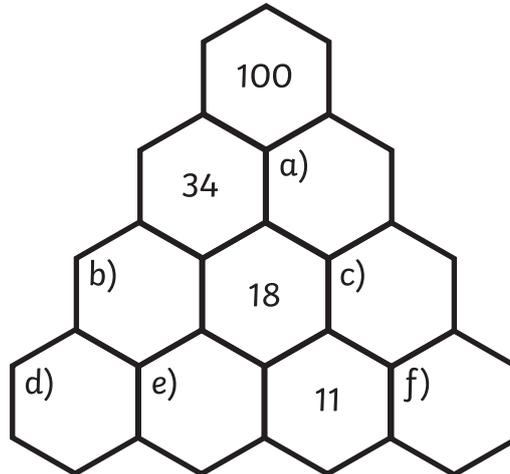
1 mark

WRITTEN SUBTRACTION

SUPERCARGE!

SCORE: /6

The number in each hexagon is the total of the two numbers below it.
Fill in the missing numbers in the empty hexagons.



Answers: a) 66 b) 16 c) 48 d) 9 e) 7 f) 37

BOOST YOUR SUPERPOWERS

Remember to **subtract** the digits in each column starting from the **right-hand side**.

You must always subtract the **bottom number** from the **top number**.

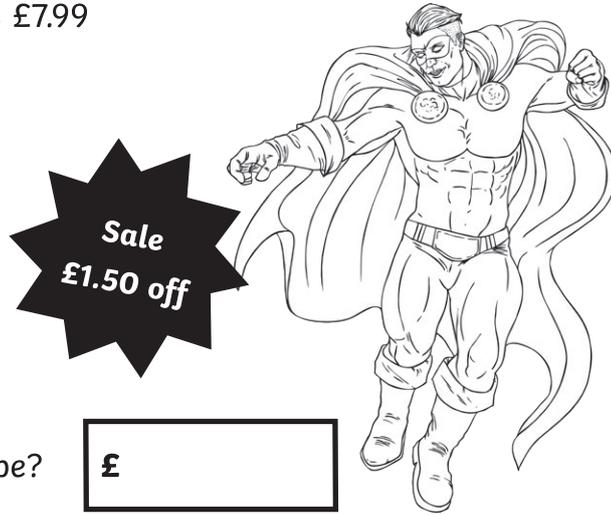
If the top digit has a **smaller value** than the bottom digit, **exchange** from the **next place value column to the left**.

	M	HTh	TTh	Th	H	T	O
	6	³ 4	¹ 5	9	⁵ 8	¹⁶ 7	¹ 5
-		3	7	2	1	8	6
	6	0	8	7	4	8	9



MATHS MISSION

1 The original price of this cape is £7.99



What is the **sale** price of the cape?

£

1 mark

2 Write the missing digits.

	2	-	4		=	2	9
--	---	---	---	--	---	---	---

1 mark

3 Circle **all** of the calculations which are equal to **250**

500 - 250

100 - 750

770 - 520

320 - 70

450 - 250

2 marks

WRITTEN MULTIPLICATION

SUPERCARGE!

SCORE: /28

Complete the times table chart.

×	3	5	6	7	8	10	12
7							
8							
9							
12							

Answers: Use the times table chart on page 165 to check your answers.

BOOST YOUR SUPERPOWERS

Long Multiplication

Starting on the **right-hand** side, multiply each digit in the top number by the ones digit in the bottom number. We can only write a single digit in each column, so if the product is a 2-digit number, we must **regroup** into the next column. We must remember to add any regrouped digits to the following multiplication answer. On the next row, we **place a zero** in the ones column to show that we are multiplying by a power of ten. Multiply each digit in the top number by the digit in the tens column, regrouping where necessary. Finally, **add** the two products using **column addition**.



	TTh	Th	H	T	O
			5	8	3
×				4	9
		5	2 ₇	4 ₂	7
2	3 ₃	3 ₁	2	0	
2	8	5	6	7	



1

Jia chooses a **whole number**.

When she multiplies her number by 3, the answer is less than 50.

When she multiplies her number by 4, the answer is greater than 50.

Write a number that Jia could have started with.



1 mark

2

Here are five digit cards. Use **four** of the digit cards **once**, to make the calculations correct.

3

4

6

8

9

a) $48 = \square \times \square$

b) $36 = \square \times \square$



1 mark

3

Elias knows that $525 \times 42 = 22\,050$

Explain how Elias can use this information to work out this multiplication.

$$526 \times 42$$



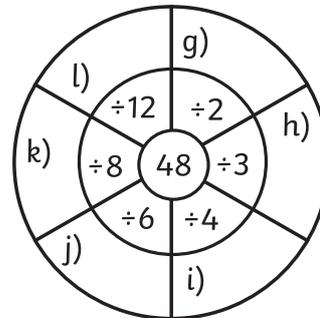
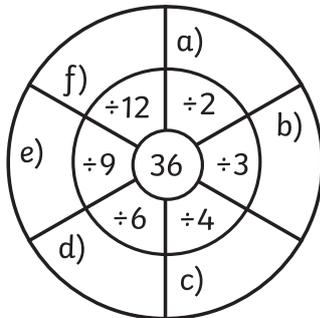
1 mark

WRITTEN DIVISION

SUPERCARGE!

SCORE: /12

Divide the number in the middle by its factors.



Answers: a) 18 b) 12 c) 9 d) 6 e) 4 f) 3 g) 24 h) 16 i) 12 j) 8 k) 6

BOOST YOUR SUPERPOWERS

Short Division

Short division is a useful method for dividing a number by a **1-digit** number. Divide each digit of the dividend by the divisor, starting with the digit with the **greatest** value. Write each answer above the horizontal line and **exchange** any remainder to the next digit.

	1	5	7	2
6	9	³ 4	⁴ 3	¹ 2

Long Division

Long division is a useful method for dividing a number by a **2-digit** number or larger. Divide the each digit of the dividend by the divisor. Write the answer above the horizontal line and the multiple of the divisor under the dividend. Use column **subtraction** to calculate the remainder and draw down the next digit of the dividend. **Repeat** this process until the end of the calculation.

			3	4
1	3	4	4	2
		0	↓	
		4	4	
	-	3	9	↓
			5	2
		-	5	2
				0



SOLVING MISSING DIGIT PROBLEMS

SUPERCARGE!

SCORE: /4

Each emoji represents a number. To solve the final calculation, find the number that each emoji represents.

$$\text{Mask} + \text{Mask} + \text{Mask} = 24$$

$$\text{Mask} + \text{Mask} + \text{Diamond} = 18$$

$$\text{Diamond} + \text{Sword} + \text{Sword} = 14$$

a) $\text{Mask} = \square$ b) $\text{Diamond} = \square$ c) $\text{Sword} = \square$

$\text{Mask} \times \text{Diamond} + \text{Sword} = \text{d) } \square$

Answers: a) 8 b) 2 c) 6 d) 22

BOOST YOUR SUPERPOWERS

These problems have calculations with digits missing and empty boxes in their place. We can find the missing digits using **inverse operations**.

	2	7
+	5	<input type="text"/>
	8	6

→

	2	7
+	5	9
	8	6
	1	

In this column addition example, we start with the right-hand column like standard column addition.

In the ones column, we can see that **regrouping** has occurred because 6 is smaller in value than 7. As this is column addition, the sum of the two ones digits must be greater in value than each of the ones digits being put together. This means that the calculation is $7 + \square = 16$ rather than $7 + \square = 6$

Therefore, there must be **1 regrouped ten** in the tens column.

Now, we know that the calculation is $7 + \square = 16$, we can use the inverse to work out that $16 - 7 = 9$

9 is the missing digit.



MATHS MISSION

1 Write the missing digits to make these calculations correct.

a)

	<input type="text"/>	3	5	<input type="text"/>
+	3	<input type="text"/>	8	9
	5	0	4	6

b)

	3	<input type="text"/>	3	0	<input type="text"/>
+		6	0	<input type="text"/>	3
	4	5	3	4	2



2 marks

2 Write the missing digits to make these calculations correct.

a)

	4	<input type="text"/>	<input type="text"/>	8
-	3	3	3	<input type="text"/>
	1	4	3	2

b)

	7	6	<input type="text"/>	4	1
-		<input type="text"/>	9	<input type="text"/>	4
	7	1	4	0	7



2 marks

3 Write the missing digits to make these calculations correct.

a)

	<input type="text"/>	5	<input type="text"/>	7
×				<input type="text"/>
2	5	7	6	1

b)

		9	5	<input type="text"/>	3
	×			<input type="text"/>	6
	5	7	5	5	8
2	8	7	7	9	0
3	4	5	3	4	8



2 marks

4

Write the missing digits to make these calculations correct.

Both calculations **do not** have remainders.

a)

		7	7
9	6	<input type="text"/>	<input type="text"/>

b)

		3	<input type="text"/>	5
8	<input type="text"/>	9	2	0



2 marks

5

Write the missing digits to make these calculations correct.

a)

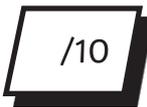
		<input type="text"/>	2	1	r1
3	1	8	6	<input type="text"/>	

b)

		4	<input type="text"/>	8	r2
3	1	3	7	<input type="text"/>	



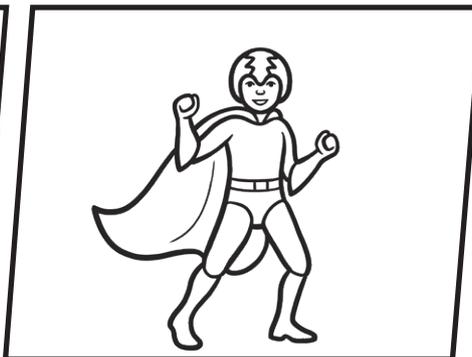
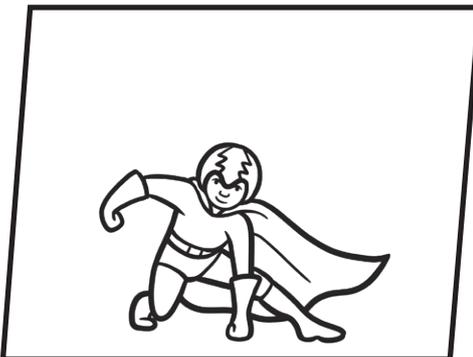
2 marks



/10

TOTAL

MISSION COMPLETE!



How confident do you feel?

SOLVING MULTI-STEP PROBLEMS

SUPERCARGE!

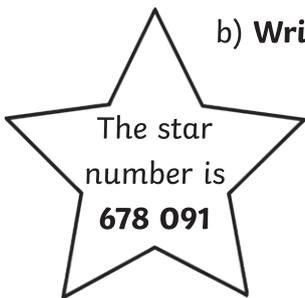
SCORE: /5

Answer the questions about the star number.

a) **Compare it** with the calculation using

< > or =

$(17 + 14) \times 1000$ the star number



b) **Write it** in words:

c) **Divide it** by 100

d) **Multiply it** by 10

e) **Round it** to the nearest 1000

Answers: a) > b) six hundred and seventy-eight thousand and ninety-one
c) 6780.91 d) 6780910 e) 678000

BOOST YOUR SUPERPOWERS

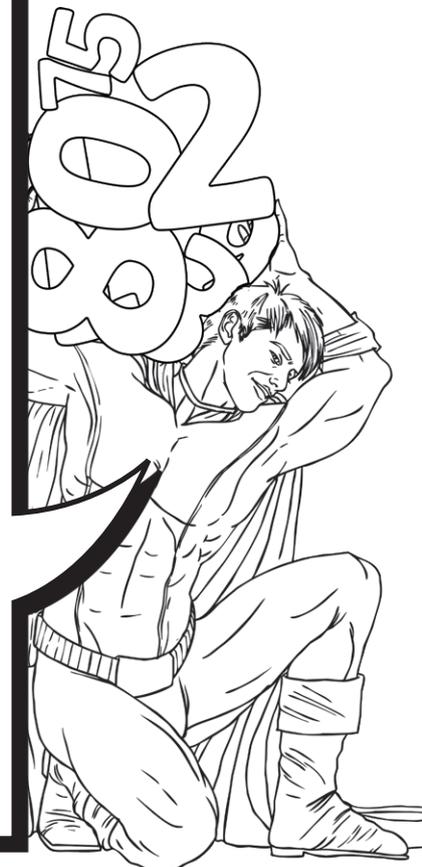
To solve multi-step problems, it is a good idea to break the question down into smaller steps.

Example: 'A teacher has 14 packs of colouring pencils, each containing 25 pencils, and 9 packs of writing pencils, each containing 12 pencils. How many pencils does the teacher have altogether?'

In this example, the first step is to find out how many colouring pencils there are: $14 \times 25 = 350$

Next, we want to find out how many writing pencils there are:
 $9 \times 12 = 108$

Lastly, we want to find the total of all the pencils: $350 + 108 = 458$



MULTIPLYING AND DIVIDING BY 10, 100 AND 1000

SUPERCARGE!

SCORE: /6

True or false?

a) $345 \times 10 = 3045$ _____

b) $11 \times 11 = 30 \times 4$ _____

c) $5000 - 435 = 4565$ _____

d) $303 \div 3 = 25 \times 4$ _____

e) $2 \times (3 + 4) = 10$ _____

f) $144 \div 12 = 84 \div 7$ _____

Answers: a) False b) False c) True d) False e) False f) True

BOOST YOUR SUPERPOWERS

When multiplying a number by 10, 100 or 1000, the value of each digit is increased. Each digit moves the necessary number of places to the left.

Th	H	T	O	t	h
			3	2	
		3	2		

← × 10

Th	H	T	O	t	h
			3	2	
	3	2	0		

← × 100

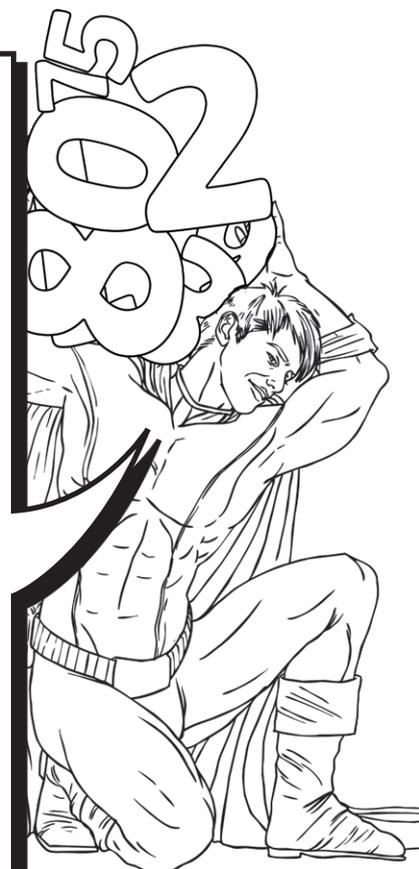
When dividing a number by 10, 100 or 1000, the value of each decreases. Each digit moves the necessary number of places to the right.

Th	H	T	O	t	h
			3	0	2
		3	0	2	

÷ 100 →

Th	H	T	O	t	h
			3	0	2
			3	0	2

÷ 1000 →



1 Circle the number that is **10 times greater** than eight hundred and three.

830

8300

83

8030



1 mark

2 Complete the calculation.

$$1000 \times 351 = 10 \times \boxed{}$$



1 mark

3 One tonne is equal to 1000 kilograms.

Captain Calculation can lift a 4.1 tonne car.

How many **kilograms** can Captain Calculation lift?

kg



1 mark

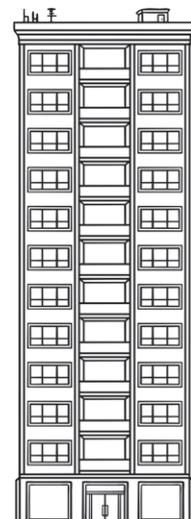
4 Hero Hideaway is 3809cm in height and 724cm in width.

Jia is making a **one-hundredth** scale model of the tower.

What are the height and width measurements of Jia's tower model?

height = cm

width = cm



1 mark



1 mark

5

Here are six cards.

$\times 10$

$\times 100$

$\times 1000$

$\div 10$

$\div 100$

$\div 1000$

Use a card to complete each calculation.

$7.4 \square = 0.074$

$7.4 \square = 0.74$

$7.4 \square = 0.0074$



2 marks

6

The superheroes are working out the best deal on balloons for a celebration.

It costs £136 for 100 balloons from Twinkl Wholesalers.

It costs £1326 for 1000 from Twinkl Party Wares.

Which store has the best deal per balloon? **Explain** your answer.

Large empty box for writing the answer and explanation.

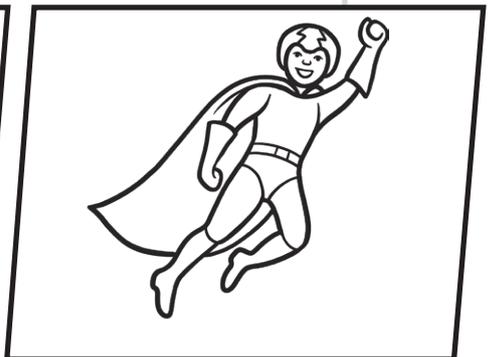
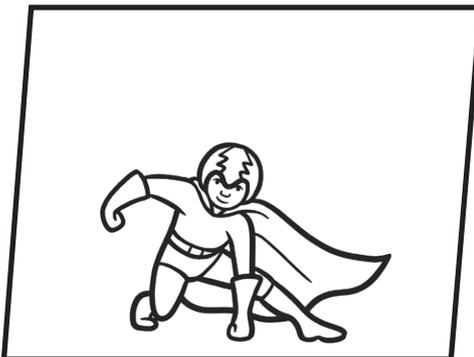


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

MULTIPLYING AND DIVIDING DECIMALS BY INTEGERS

SUPERCARGE!

Use the code to reveal the secret word.

a	g	d	u	n	i	r
280	228	196	221	138	252	387

	Answer	Letter
6×38		
17×13		
5×56		
43×9		
14×14		
7×36		
35×8		
6×23		

SCORE: /8

Answers: guardian

BOOST YOUR SUPERPOWERS

When multiplying or dividing decimals by integers, we can use our **known facts, partitioning or formal written methods.**

Known Facts

$$\begin{array}{c}
 1.2 \times 7 \\
 12 \times 7 = 84 \\
 \div 10 \quad \quad \quad \div 10 \\
 \swarrow \quad \quad \quad \searrow \\
 1.2 \times 7 = 8.4
 \end{array}$$

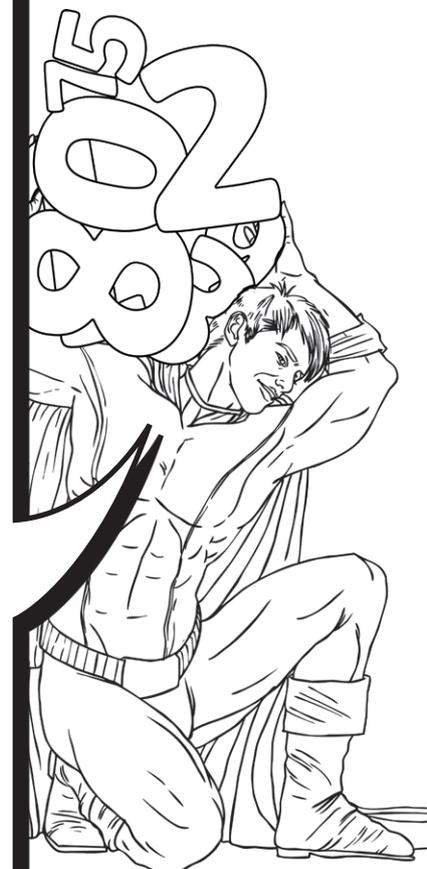
Partitioning

$$\begin{array}{c}
 4.8 \div 2 \\
 \begin{array}{c} \text{4.8} \\ \swarrow \quad \searrow \\ \text{4} \quad \text{0.8} \\ \downarrow \quad \downarrow \\ \div 2 \quad \div 2 \\ \hline \text{2} + \text{0.4} = \text{2.4} \end{array}
 \end{array}$$

Formal Written Methods

$$\begin{array}{r}
 2.367 \times 4 \\
 \times \\
 \hline
 9468 \\
 122 \\
 \hline
 1222
 \end{array}$$

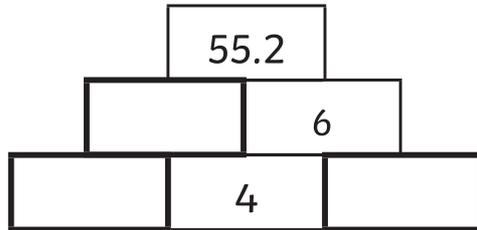
$$\begin{array}{r}
 8.79 \div 3 \\
 3 \overline{)8.79} \\
 \underline{3} \\
 57 \\
 \underline{57} \\
 09 \\
 \underline{09} \\
 0
 \end{array}$$



MATHS MISSION

1 In this pyramid, the number in each box is the **product** of the two numbers below it.

Write the missing numbers.



2 marks

2 On average, The Fraction Flame flies 21.3km per second. If she continues at the same speed, how far would she travel in 5 seconds?



1 mark

3 Write **two decimals**, each with a **value less than 1**, which multiply to make **0.15**

$$\square \times \square = 0.15$$



1 mark

4 Zeke buys 3 notebooks. He pays with a £10 note. His change is £2.59
What is the cost of **one** notebook?

show
your
method

A large grid for showing the method to solve the problem.



2 marks

ORDER OF OPERATIONS (BIDMAS)

SUPERCARGE!

SCORE: /5

a) $12 + 5^2 =$

d) $40 \times 2 - 8 \times 4 =$

b) $15 - 3 \times 4 =$

e) $33 + 4^2 - 20 =$

c) $29 - 3 + 4 \times 2 =$

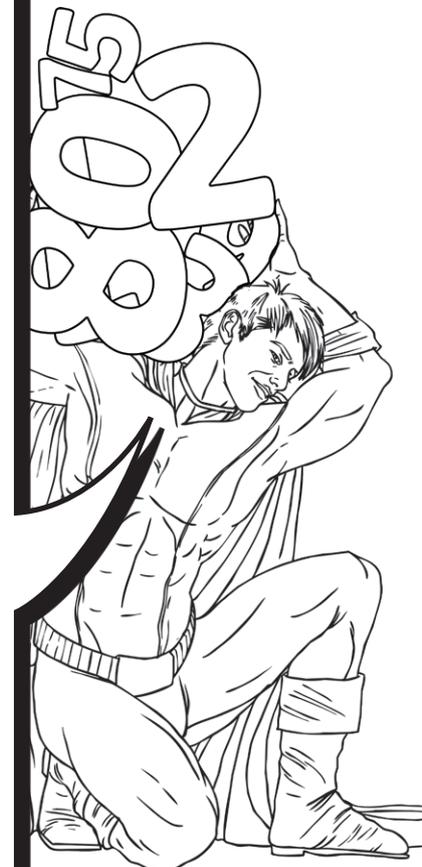
Answers: a) 37 b) 3 c) 34 d) 48 e) 29

BOOST YOUR SUPERPOWERS

Brackets	$10 \times (4 + 2) = 10 \times 6 = 60$
Indices	$5 + 2^2 = 5 + 4 = 9$
Division	$10 + 6 \div 2 = 10 + 3 = 13$
Multiply	$10 - 4 \times 2 = 10 - 8 = 2$
Addition	$7 + 4 \times 10 = 7 + 40 = 47$
Subtraction	$8 - 10 \div 2 = 8 - 5 = 3$

The acronym 'BIDMAS' tells us the order in which to complete calculations.

Inverse operations (addition and subtraction or multiplication and division) are of **equal importance** so should be completed in order from **left to right**.



1

Write what the missing numbers could be.

a) $(\square + \square) + 60 = 100$



1 mark

b) $(\square + \square) + 80 = 100$



1 mark

2

Write +, -, × or ÷ to make the calculation correct.

a) $36 \square 4 \times 5 = 56$



1 mark

b) $2 \square (29 + 13) = 84$



1 mark

3

Here are five number cards.

Use **three** cards to make the calculation correct.

\square \square \square \square \square
6 7 8 24 42

$(\square \times \square) + \square = 50$



1 mark

4

Write the correct sign $>$, $<$ or $=$ to make the statements correct.

$$(12 + 7) - 5 \quad \square \quad (9 + 5) - 1$$

$$9 \times (5 + 2) \quad \square \quad (9 \times 2) + 12$$

$$(12 \times 2) \div 6 \quad \square \quad 12 \times (6 \div 2)$$



2 marks

5

Add one pair of missing brackets to each of these calculations to make them correct.

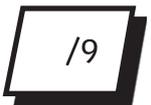
$$12 \times 5 + 15 = 75$$

$$63 \div 11 - 4 = 9$$

$$82 - 16 + 17 = 49$$



2 marks



TOTAL

MISSION COMPLETE!



How confident do you feel?

MULTIPLES AND FACTORS

SUPERCARGE!

SCORE: /3

Circle the odd one out in each grid.

a) Multiples of 3

21	3	6
13	24	15
9	30	12

b) Factors of 24

6	24	3
2	4	7
1	8	12

c) Multiples or Factors of 12

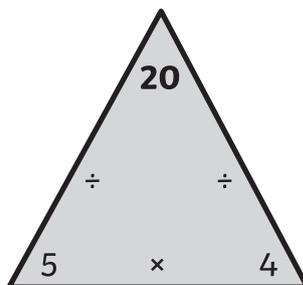
4	18	24
60	12	3
2	48	84

Answers: a) 13 b) 7 c) 18

BOOST YOUR SUPERPOWERS

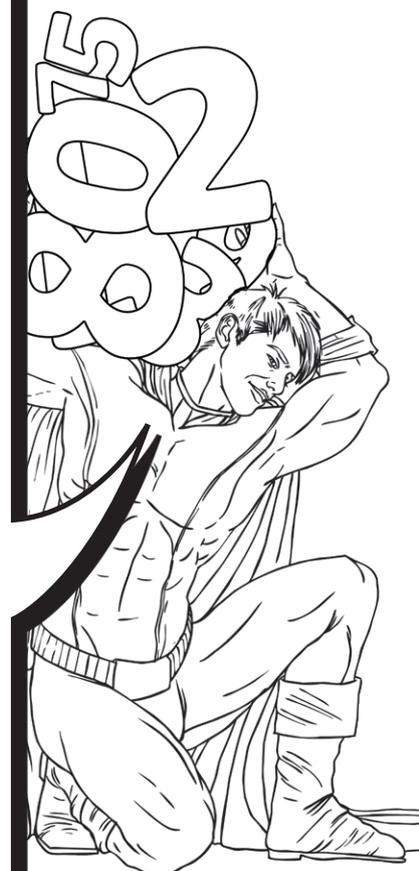
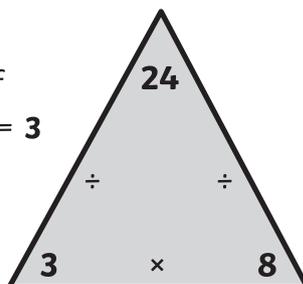
A **multiple** is a number that is the **product** of **multiplying** one whole number by another.

For example, **20** is a multiple of 5 and 4 because $5 \times 4 = 20$



A **factor** is a **whole number** that can be **divided** into another **whole number**, with **no remainder**.

For example, **3** and **8** are factors of 24 because $24 \div 3 = 8$ and $24 \div 8 = 3$



MATHS MISSION

1

The numbers in this sequence increase by the same amount each time

Write in the missing numbers.

72

81

99



2 marks

2

List all the factors of 18 which are also factors of 24.



2 marks

3

Write each number below in its correct place on the diagram.

18	10
----	----

12	24
----	----

	Multiple of 4	Not a multiple of 4
Multiple of 6		
Not a multiple of 6		



2 marks

4

Complete this sentence.

Every number with a factor of **15** must also have factors of

and and



1 mark

5

Write all the common multiples of 7 and 2 that are **less than 30**



1 mark

6

Here are five number cards.



Use each card **once** to make every statement below correct.

is a factor of 56

is a factor of 16

is a factor of 18

is a factor of 30

is a factor of 39

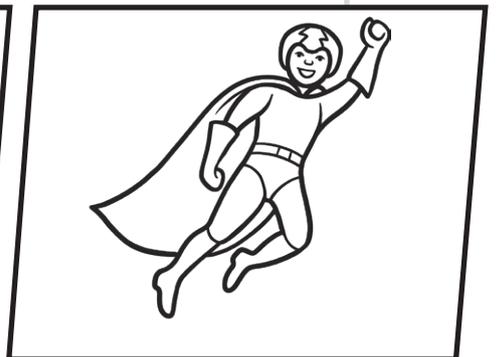
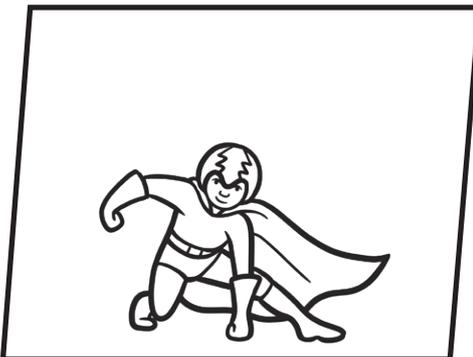


1 mark

/10

TOTAL

MISSION COMPLETE!



How confident do you feel?

MATHS MISSION

1

Match the calculations to the number that is nearest to the correct answer. Round the numbers in the calculations to the nearest 10 to help you estimate. One has been done for you.

$278 + 491$	320
$621 - 304$	770
$867 + 255$	1330
$905 + 422$	1190
$827 + 364$	1130



2 marks

2

Estimate the answer to this calculation
 $432.04 + 709.57$
Circle the correct estimate.

1000 1100 1200 1300 1400



1 mark

3

$6516 \div 12 = 543$
Explain how you can use this fact to solve 13×543



1 mark

4

$$38\ 080 = 448 \times 85$$

Use this multiplication fact to complete the calculations below.

a) $448 \times 8.5 =$

b) $4480 \times 85 =$

c) $3808 \div 85 =$



2 marks

5

Zeke has £15

He wants to buy a pencil which costs £1.21, a highlighter which costs £2.13 and a pencil case which costs £10.57.

Does he have enough money to purchase all three items?

Circle **Yes** or **No**.

Yes / No

Use **estimation** and **rounding** to **explain** your answer.

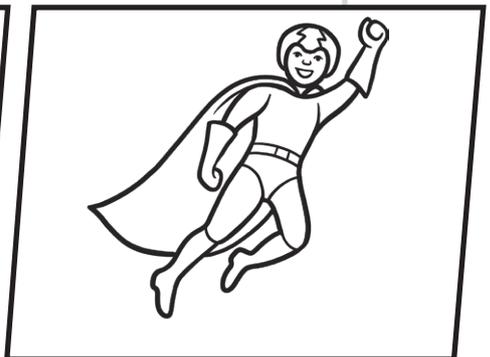
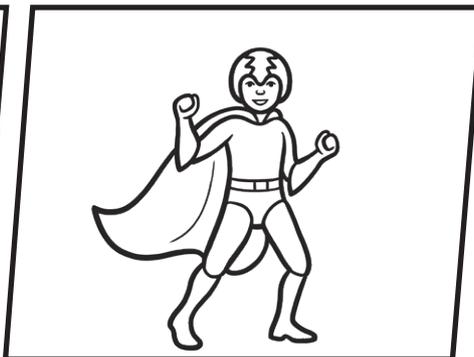
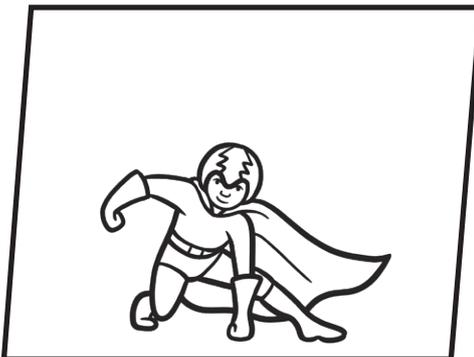


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

PRIME NUMBERS TO 100

SUPERCARGE!

SCORE: /4

Match each number to one of its factors.

a)

b)

c)

d)

Answers: a) 7 b) 5 c) 9 d) 8

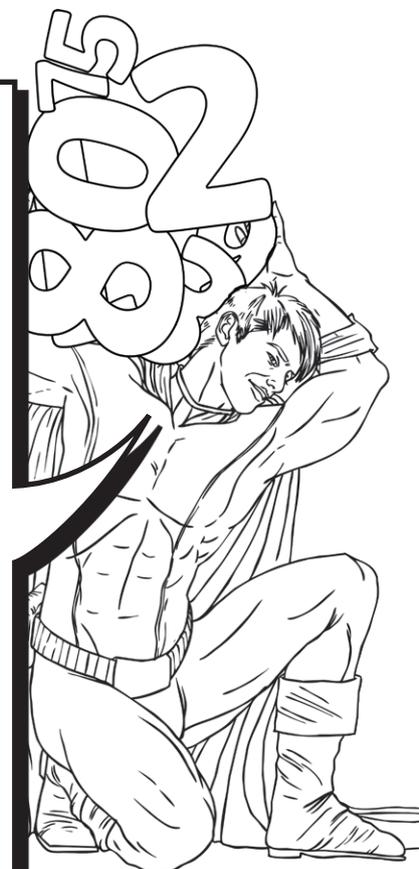
BOOST YOUR SUPERPOWERS

What are prime numbers?

- A **prime number** is a whole number which only has **two factors**: 1 and **itself**.
- 0 and 1 are **not** prime numbers.
- Numbers which have **more** than two factors (i.e. not a prime number) are called **composite numbers**.

Examples of prime numbers:

2, 3, 5, 7, 11, 13, 17, 19, 23



MATHS MISSION

1

Circle **all** the prime numbers.

17

27

37

47

57



1 mark

2

Write the **three prime numbers** that multiply to make **195**

$$\square \times \square \times \square = 195$$



1 mark

3

Priya says,

2 is the only even prime number.



Is Priya correct? Circle **Yes** or **No**.

Explain how you know.



1 mark

4

Circle the prime number.

69

73

75

Explain how you know the other numbers are not prime numbers.

[Large empty box for explanation]



1 mark

5

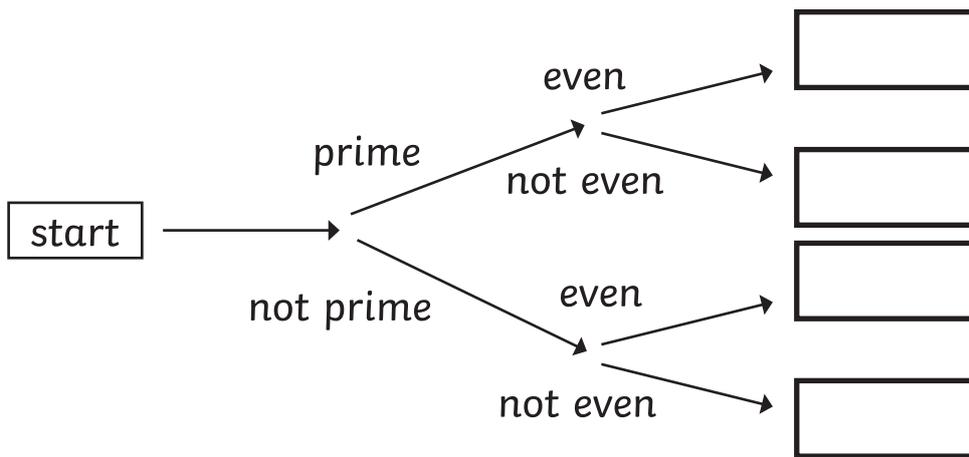
Here is a diagram for sorting numbers.
Write **all** four numbers in the correct boxes.

29

2

15

40

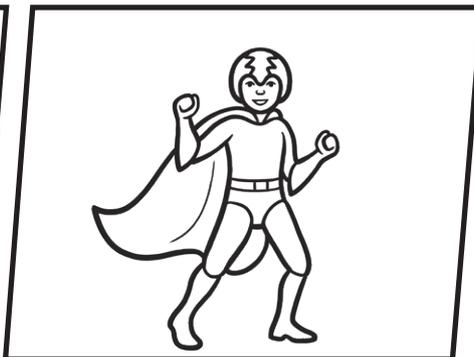
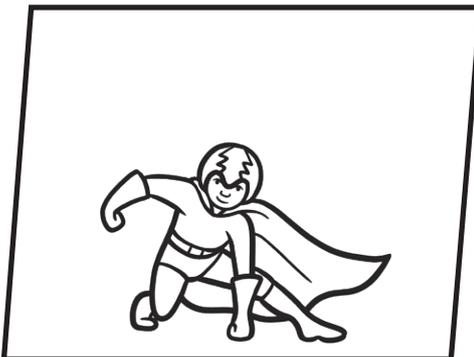


2 marks



TOTAL

MISSION COMPLETE!



How confident do you feel?

SQUARE AND CUBE NUMBERS

SUPERCARGE!

SCORE:

Write <, > or = to make the statements correct.

a) $52 \square 20$

d) $103 \square 1000$

b) $43 \square 68$

e) $62 \square 36$

c) $102 \square 1000$

f) $92 \square 72$

< (f) < (a) > (p) > (c) > (q) < (v)

BOOST YOUR SUPERPOWERS

Square numbers: The product of a number multiplied by itself,

e.g.

$$2^2 = 2 \times 2 = 4$$

$$5^2 = 5 \times 5 = 25$$

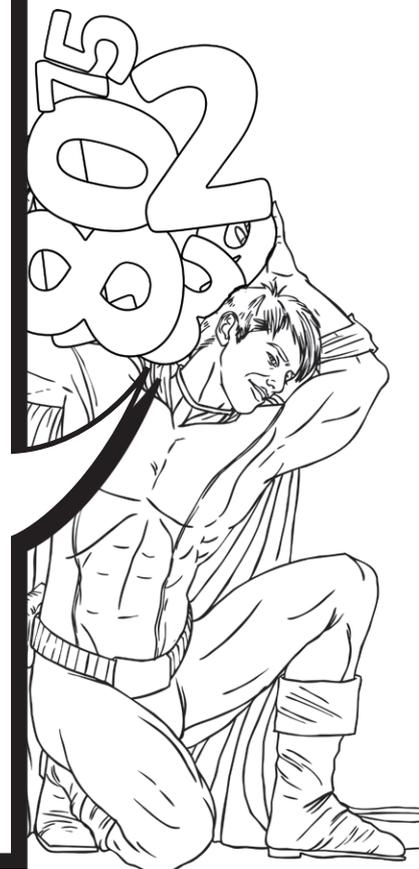
$$7^2 = 7 \times 7 = 49$$

Cube numbers: The product of a number multiplied by itself three times.

$$2^3 = 2 \times 2 \times 2 = 8$$

$$5^3 = 5 \times 5 \times 5 = 125$$

$$7^3 = 7 \times 7 \times 7 = 343$$



MATHS MISSION

1

Circle the **square** numbers.

4

17

25

8

21



1 mark

2

Write two **cube** numbers that total 189

$$\square + \square = 189$$



1 mark

3

Here is a Carroll diagram for numbers. Write a number less than **100** in each space.

	a square number	not a square number
even		
not even		



2 mark

4

Put these values in order from smallest to greatest.

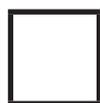
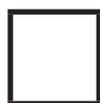
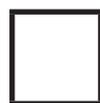
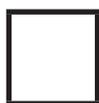
4^2

2^3

9^2

2^2

3^3



smallest

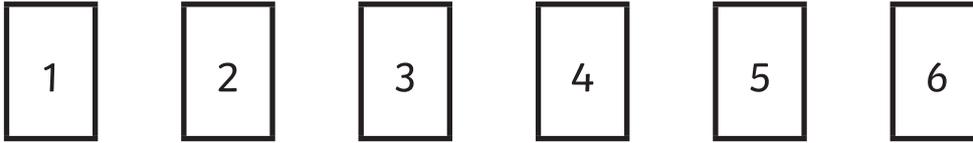
greatest



1 mark

5

Here are six digit cards.



Choose **two cards** each time to make the following two-digit numbers.

Use each digit card once.

a) a **prime** number

b) a **square** number

c) a **cube** number

2 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

PROGRESS TRACKER

Write your scores from each concept in this unit to track your progress.

Written Addition	/ 6
Written Subtraction	/ 7
Written Multiplication	/ 7
Written Division	/ 7
Solving Missing Digit Problems	/ 10
Solving Multi-Step Problems	/ 6
Multiplying and Dividing by 10, 100 and 1000	/ 8
Multiplying and Dividing Decimals by Integers	/ 8
Order of Operations (BIDMAS)	/ 9
Multiples and Factors	/ 10
Estimating and Inverse	/ 7
Prime Numbers to 100	/ 6
Square and Cube Numbers	/ 7
Addition, Subtraction, Multiplication and Division Mixed Practice	/ 10
TOTAL	/ 108

SELF-REFLECTION



What went well:



My target to improve:

RECHARGE

Solve the calculations to reveal the hidden picture. Use the key to colour in each box.

White 1 - 5	Red 6 - 10	Yellow 11 - 20	Orange 21 - 40	Blue 41 - 144
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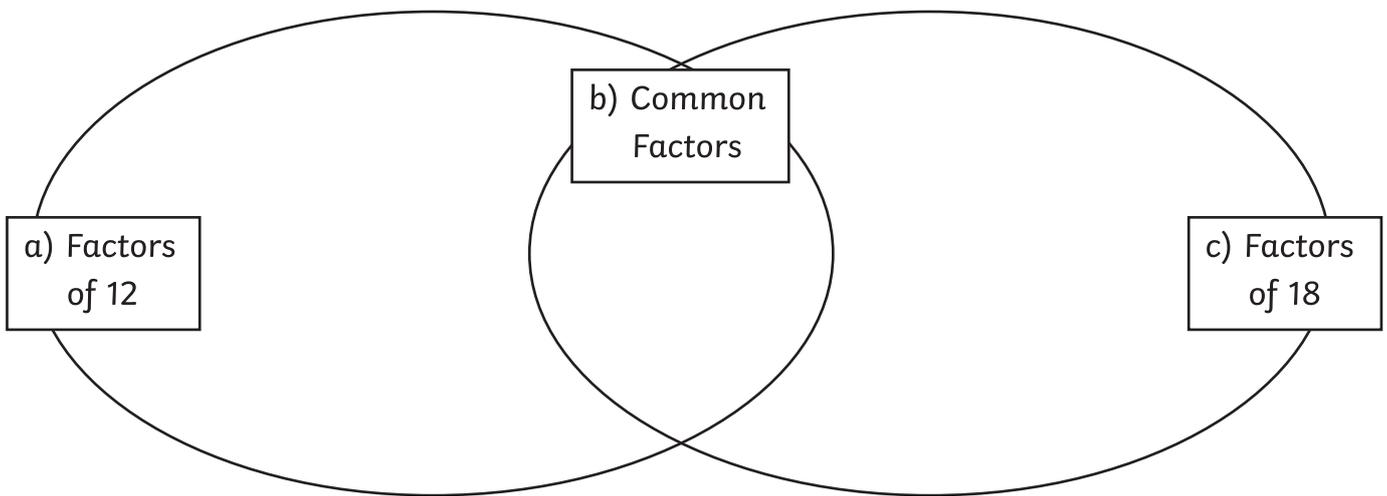
4×11	8×10	3×3	9×10	5×9	12×10	12×9	9×7	6×11
6×12	11×6	8×8	$45 \div 5$	$18 \div 3$	12×4	7×12	7×3	11×9
9×9	6×7	12×5	6×6	2×3	6×10	11×8	6×8	9×12
7×10	9×6	11×5	4×2	7×5	$42 \div 6$	$49 \div 7$	8×9	7×7
11×11	5×9	$30 \div 5$	$63 \div 7$	8×4	6×4	3×3	$48 \div 8$	12×10
8×6	2×5	$40 \div 4$	11×2	1×11	12×2	9×3	$36 \div 6$	9×8
11×4	$63 \div 9$	5×5	10×3	4×3	$77 \div 7$	3×11	$84 \div 12$	5×11
5×12	$21 \div 3$	4×10	7×2	$84 \div 7$	3×5	4×4	$63 \div 9$	12×12
9×11	$42 \div 7$	$99 \div 11$	2×10	6×3	$21 \div 7$	$99 \div 9$	$56 \div 8$	9×5
7×8	12×6	$96 \div 12$	$24 \div 4$	$18 \div 9$	$10 \div 5$	$81 \div 9$	7×11	12×8
8×12	6×9	11×7	7×9	11×12	12×7	8×7	4×12	7×6

SIMPLIFYING FRACTIONS

SUPERCARGE!

SCORE: /8

Write all of the **factors** of 12 and 18 in the correct sections.



Answers: a) 4, 12 b) 1, 2, 3, 6 c) 9, 18

BOOST YOUR SUPERPOWERS

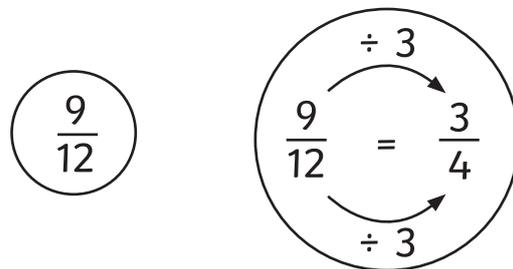
When we **simplify a fraction**, we use the **highest common factor** of the numerator and denominator to express a fraction in its simplest form. In this example, we find the **highest common factor** of 9 and 12 which is 3.

Factors of 9:

1, 3, 9

Factors of 12:

1, 2, 3, 4, 6, 12



Next, we **divide** the **numerator** and **denominator** by their highest common factor.



The simplest form of $\frac{9}{12}$ is $\frac{3}{4}$



1

Write each fraction in its **simplest** form.

a) $\frac{36}{48} = \frac{\square}{\square}$

b) $\frac{14}{49} = \frac{\square}{\square}$

c) $\frac{21}{27} = \frac{\square}{\square}$



2 marks

2

Match the fractions in the bottom row with their **simplest form equivalent** in the top row.

$\frac{2}{3}$	$\frac{1}{4}$	$\frac{8}{9}$	$\frac{4}{15}$
---------------	---------------	---------------	----------------

$\frac{8}{32}$	$\frac{12}{18}$	$\frac{12}{45}$	$\frac{16}{18}$
----------------	-----------------	-----------------	-----------------



2 marks

3

Sort these fractions into the table according to whether they are expressed in their **simplest form** or not.

$\frac{5}{8}$ $\frac{4}{20}$ $\frac{17}{23}$ $\frac{5}{12}$ $\frac{7}{21}$ $\frac{11}{30}$

Fractions in their simplest form	Fractions <u>not</u> in their simplest form



2 marks

4

Simplify these fractions.

Put them in order from **smallest to greatest** in their **simplest form**.

$\frac{9}{36}$

smallest

$\frac{4}{40}$

$\frac{5}{25}$

$\frac{6}{36}$

$\frac{115}{230}$

$\frac{28}{84}$

largest



2 marks

5

Amrit says,

I can simplify a fraction by halving the numerator and denominator.

AMRIT



Is Amrit's statement always true, sometimes true or never true?

Circle your answer.

always sometimes never

Explain your answer.

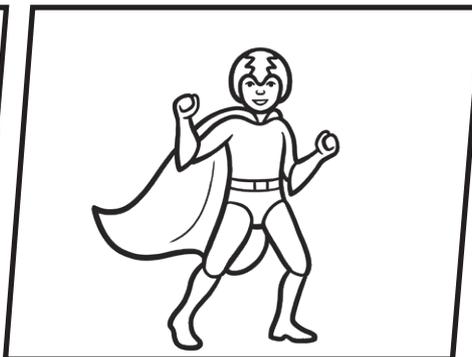
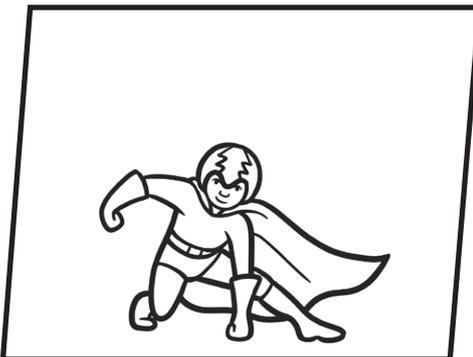


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

CONVERTING BETWEEN MIXED NUMBERS AND IMPROPER FRACTIONS

SUPERCARGE!

SCORE: /1

Maths Riddle

Write a calculation using the digits 1, 2, 3, 4 and 5 once and the operations \times and \div once. What is the smallest whole number you can get as an answer?

Answers: $13 \times 4 \div 52 = 1$

BOOST YOUR SUPERPOWERS

Improper Fractions to Mixed Numbers

We **divide** the **numerator** by the **denominator**. This tells us how many wholes we have and how many parts we have left.

The denominator stays the same.

$$\frac{13}{5}$$

$$13 \div 5 = 2r3 \text{ (2 wholes and 3 parts)}$$

$$\frac{13}{5} = 2\frac{3}{5}$$

Mixed Numbers to Improper Fractions

We **multiply** the **denominator** by the **whole number** to find how many parts this is equal to. Then, we **add** this to the remaining fraction.

$$2\frac{5}{6}$$

$$2 \times 6 = 12$$

$$2 \text{ wholes} = \frac{12}{6}$$

$$\frac{12}{6} + \frac{5}{6} = \frac{17}{6}$$



1

Convert the fractions and mixed numbers.

a) $\square \frac{\square}{\square} = \frac{19}{4}$

b) $\frac{35}{6} = \square \frac{\square}{\square}$

c) $8 \frac{2}{7} = \frac{\square}{\square}$

d) $\frac{\square}{\square} = 5 \frac{7}{9}$

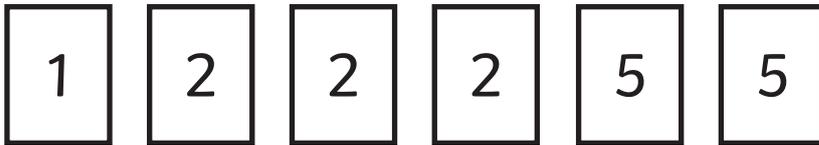


2 marks

2

Use **all** the digit cards to show a conversion from an improper fraction to a mixed number.

Each card should be used only **once**.



$$\frac{\square \square}{\square} = \square \frac{\square}{\square}$$



1 mark

3

Write the missing digits.

One has been done for you.

Improper fraction	Mixed number
$\frac{23}{6}$	$3\frac{5}{6}$
$\frac{\square}{3}$	$2\frac{2}{3}$
$\frac{21}{6}$	$3\frac{\square}{6}$
$\frac{20}{8}$	$\square\frac{4}{8}$



2 marks

4

Use <, > or = to make the statements true.

a) $2\frac{5}{6} \square \frac{15}{6}$

b) $4\frac{1}{4} \square \frac{17}{4}$

c) $5\frac{2}{5} \square \frac{2}{5}$

d) $6\frac{2}{3} \square \frac{18}{3}$



2 marks



TOTAL

MISSION COMPLETE!

How confident do you feel?

EQUIVALENT FRACTIONS

SUPERCARGE!

SCORE: /6

Write the fractions in the correct column.

Simplest form	Not in its simplest form

a) $\frac{28}{32}$

b) $\frac{16}{15}$

c) $\frac{6}{15}$

d) $\frac{4}{15}$

e) $\frac{15}{21}$

f) $\frac{7}{9}$

Answers: Simplest Form – b, d, f Not in its Simplest Form – a, c, e

BOOST YOUR SUPERPOWERS

Equivalent fractions are fractions that are **equal in value** despite having different numerators and denominators. To find equivalent fractions, we **multiply or divide** the numerator and denominator by the same number. For example,

$$\frac{1}{2} \begin{matrix} \xrightarrow{\times 5} \\ = \\ \xrightarrow{\times 5} \end{matrix} \frac{5}{10}$$



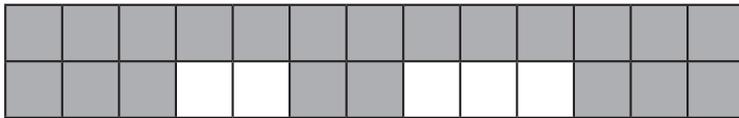
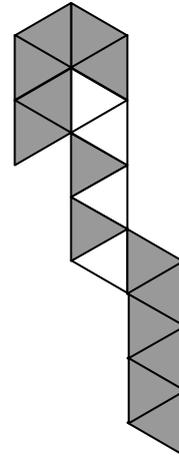
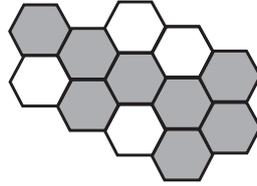
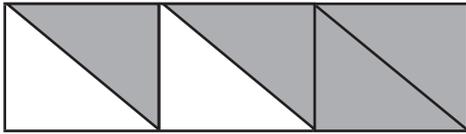
$$\frac{9}{12} \begin{matrix} \xrightarrow{\div 3} \\ = \\ \xrightarrow{\div 3} \end{matrix} \frac{3}{4}$$



1

Here are some shapes.

Tick (✓) the shapes that are equivalent to $\frac{2}{3}$



1 mark

2

Write in the missing values to make these fractions equivalent.

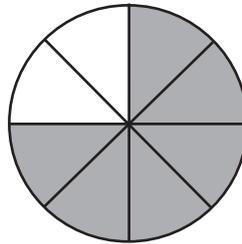
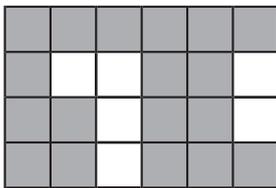
$$\frac{3}{\square} = \frac{9}{12} = \frac{\square}{48}$$



2 marks

3

Look at the fractions represented in these shapes.



Felix says,

The two fractions shown cannot be equivalent because they are different shapes.



Do you agree with Felix? Circle **Agree** or **Disagree**.

Explain your answer.



1 mark

4

Here are five fractions.

a) Circle **all** the **improper** fractions.

$\frac{13}{2}$

$\frac{10}{15}$

$\frac{6}{5}$

$\frac{4}{2}$

$\frac{2}{3}$



1 mark

b) Which fraction is equivalent to $2\frac{3}{5}$?



1 mark

c) Which two fractions are equivalent?

and



1 mark

17

TOTAL

MISSION COMPLETE!



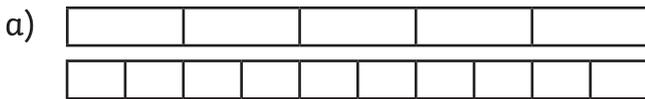
How confident do you feel?

COMPARING AND ORDERING FRACTIONS

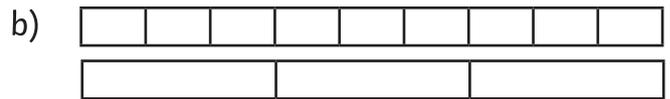
SUPERCARGE!

SCORE: /4

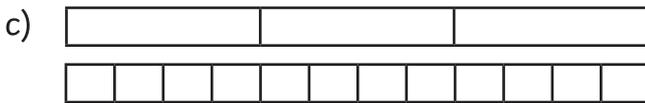
Shade the fraction bars to represent each fraction. Then, compare the fractions using $<$, $>$ or $=$.



$$\frac{4}{5} \square \frac{7}{10}$$



$$\frac{6}{9} \square \frac{2}{3}$$



$$\frac{1}{3} \square \frac{3}{12}$$



$$\frac{2}{8} \square \frac{4}{12}$$

Answers: a) $>$ b) $<$ c) $=$ d) $>$

BOOST YOUR SUPERPOWERS

One way of comparing fractions that have different denominators is by **converting** each fraction into an **equivalent fraction**, using the **lowest common multiple** of the denominators.

Multiples of 5: 5, 10, 15 → $\frac{3}{5}$ and Multiples of 3: 3, 6, 9, 12, 15

$\frac{3}{5} \xrightarrow{\times 3} \frac{9}{15}$

$\frac{2}{3} \xrightarrow{\times 5} \frac{10}{15}$

$\frac{9}{15} < \frac{10}{15}$ so $\frac{3}{5} < \frac{2}{3}$

If we are comparing fractions that have the **same numerator**, the **greater** the **denominator**, the **smaller** the value of the **fraction**. This is because the **whole** has been divided into a **greater number** of **equal parts**.



$$\frac{4}{7} > \frac{4}{9}$$



MATHS MISSION

1

Write the correct sign $<$, $=$ or $>$ in each box to make these statements correct.

$$\frac{2}{3} \square \frac{6}{10}$$

$$\frac{5}{7} \square \frac{3}{4}$$

$$\frac{8}{16} \square \frac{6}{12}$$

$$\frac{4}{9} \square \frac{5}{11}$$



2 marks

2

Elena and Bartek are reading the same book.

Elena has read $\frac{7}{9}$ of the book and Bartek has read $\frac{6}{8}$ of the book.

Who has read the **most** pages?

Explain your reasoning.



1 mark

3

Write these fractions in order of size, starting with the **greatest**.

$$\frac{3}{7}$$

$$\frac{3}{4}$$

$$\frac{3}{9}$$

$$\frac{3}{6}$$

$$\frac{3}{2}$$

greatest

smallest



1 mark

4

Here are four fraction cards.

$$\frac{4}{7}$$

$$\frac{3}{5}$$

$$\frac{5}{10}$$

$$\frac{6}{14}$$

Use any **three** of the cards to make this statement correct.

$$\square < \square < \square$$



1 mark

5

Write a digit in each box so that the fractions are arranged in order from **smallest to greatest**.

$$\frac{2}{9}$$

$$\frac{\square}{3}$$

$$\frac{1}{\square}$$

$$\frac{5}{8}$$

$$\frac{3}{\square}$$

smallest

greatest



2 marks



TOTAL

MISSION COMPLETE!



How confident do you feel?

ADDING AND SUBTRACTING FRACTIONS

SUPERCARGE!

SCORE: /11

a) Colour in all the factors of 24

12	1	9	8
3	11	10	15
7	13	24	16
18	14	20	4

b) Colour in all the factors of 42

40	32	42	8
6	13	9	7
16	20	14	15
21	38	10	11

Answers: a) 12, 1, 8, 3, 24, 4 b) 42, 6, 7, 14, 21

BOOST YOUR SUPERPOWERS

Adding and Subtracting Fractions with Different Denominators

We need to convert both fractions so that they have a **common denominator**. We use the **lowest common multiple** to create **equivalent fractions** which we can then add and subtract.

$$\frac{2}{7} + \frac{3}{5} =$$

$$\frac{2 \times 5}{7 \times 5} = \frac{10}{35}$$

$$\frac{3 \times 7}{5 \times 7} = \frac{21}{35}$$

$$\frac{10}{35} + \frac{21}{35} = \frac{31}{35}$$

Multiples of 7:

7, 14, 21, 28, 35

Multiples of 5:

5, 10, 15, 20,

25, 30, 35

The **LCM** is 35

Adding and Subtracting Mixed Fractions

There are two methods you can use:

1) Add/subtract the fractions and whole numbers **separately**.

$$2 \frac{1}{2} - 1 \frac{1}{4}$$

$$2 - 1 = 1$$

$$\frac{1}{2} = \frac{2}{4}$$

$$\frac{2}{4} - \frac{1}{4} = \frac{1}{4}$$

$$1 + \frac{1}{4} = 1 \frac{1}{4}$$

Adding and Subtracting Mixed Fractions

2) Convert the mixed fractions to **improper fractions**.

$$2 \frac{2}{5} + 1 \frac{3}{10}$$

$$2 \frac{2}{5} = \frac{12}{5} = \frac{24}{10}$$

$$1 \frac{3}{10} = \frac{13}{10}$$

$$\frac{24}{10} + \frac{13}{10} = \frac{37}{10} = 3 \frac{7}{10}$$



MATHS MISSION

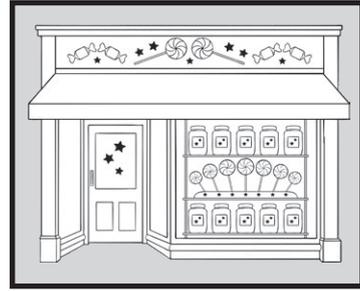
1

Hari walked $2\frac{1}{3}$ km to the park.

He then walked a **further** $\frac{1}{2}$ km to the shops.

How far did Hari walk **altogether**?

Write your answer as a fraction.


 km

1 mark

2

Match the calculations to the correct answers.

$$\frac{1}{8} + \frac{3}{4}$$

$$\frac{2}{3} - \frac{1}{2}$$

$$\frac{3}{5} + \frac{1}{4}$$

$$\frac{5}{6} - \frac{1}{4}$$

$$\frac{1}{6}$$

$$\frac{17}{20}$$

$$\frac{7}{12}$$

$$\frac{7}{8}$$

2 marks

3

Look at these numbers.

$$23\frac{3}{4}$$

$$\frac{22}{4}$$

$$16\frac{1}{4}$$

$$\frac{25}{4}$$

$$5$$

$$\frac{45}{4}$$

Which two of these numbers add up to 30?

and

1 mark

Which two of these numbers have a difference of 5?

and

1 mark

4

Complete the table to show whether **each** calculation is correct or incorrect.

If the calculation is incorrect, write the correct answer.

	Correct (✓) or incorrect (✗)?	Correct answer
$\frac{1}{3} + \frac{6}{9} = \frac{7}{9}$		
$\frac{2}{5} - \frac{1}{3} = \frac{1}{15}$		
$\frac{2}{3} - \frac{1}{4} - \frac{1}{6} = \frac{1}{4}$		
$\frac{4}{5} - \frac{1}{4} - \frac{1}{2} = \frac{2}{20}$		

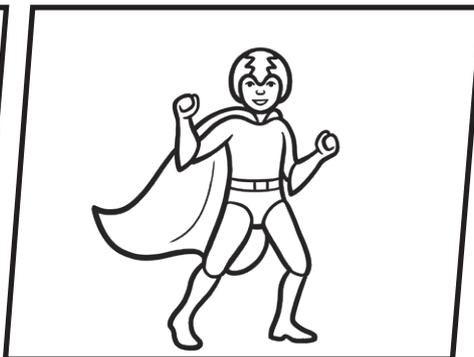
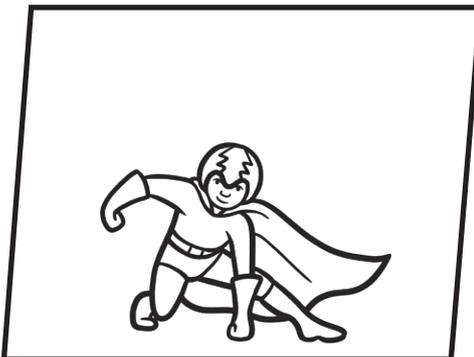


2 marks



TOTAL

MISSION COMPLETE!



How confident do you feel?

MULTIPLYING FRACTIONS

SCORE: /6

SUPERCHARGE!

Answer the calculations below and find the answers in the word search.

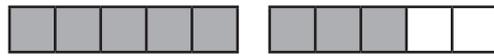
- a) $7 \times 3 =$ b) $6 \times 9 =$
 c) $3 \times 12 =$ d) $4 \times 3 =$
 e) $2 \times 5 =$ f) $10 \times 9 =$

r	u	o	r	k	l	f	b	x	t
n	f	a	s	t	c	b	c	r	h
i	e	i	t	s	v	c	i	q	i
n	e	p	f	e	z	i	g	h	r
e	t	w	u	t	n	f	v	h	t
t	w	e	n	t	y	o	n	e	y
y	e	b	l	f	q	f	d	l	s
n	l	z	l	w	h	w	o	y	i
j	v	k	t	d	c	e	z	u	x
k	e	k	e	r	w	k	c	g	r

Answers: (a) twenty-one (b) fifty-four (c) thirty-six (d) twelve (e) ten (f) ninety

BOOST YOUR SUPERPOWERS

To multiply a fraction by an integer, we multiply the **numerator** by the **integer** because multiplication is the same as **repeated addition**. Then, we can **convert** the answer to a mixed number.

$$4 \times \frac{2}{5} = \frac{2}{5} + \frac{2}{5} + \frac{2}{5} + \frac{2}{5}$$


$$4 \times \frac{2}{5} = \frac{8}{5} = 1 \frac{3}{5}$$



We can multiply a **mixed number** by an **integer** by **partitioning**...

$$4 \frac{1}{3} \times 2 = (4 \times 2) + (\frac{1}{3} \times 2) = 8 \frac{2}{3}$$

...or by **converting** it to an **improper fraction** first.

$$5 \frac{3}{4} \times 3 = \frac{23}{4} \times 3 = \frac{69}{4} = 17 \frac{1}{4}$$



To **multiply** two proper fractions, we **multiply** the **numerators** and then multiply the **denominators**. We can then **simplify** the answer if needed.

$$\frac{2}{5} \times \frac{5}{8} = \frac{10}{40} = \frac{1}{4}$$

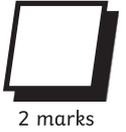


1

Write in the missing fractions.

a) $\frac{4}{7} \times \boxed{} = \frac{20}{63}$

b) $\frac{3}{5} \times \boxed{} = \frac{2}{5}$



2

Drew's hair was $\frac{1}{6}$ m long.

Drew went for a haircut and the hairdresser cut off $\frac{2}{7}$ of their hair.

As a **fraction** of a metre, how long is Drew's hair after the haircut?

m



3

How many quarters are there in 13?



4

Elias has these six digit cards.

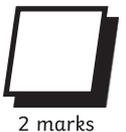
He uses four of the digit cards to make **two fractions**.

He **multiplies** these fractions together and gets an answer.

What is the **greatest** possible answer that Elias could get by using these digit cards?

He only uses each card once.

$$\frac{\boxed{}}{\boxed{}} \times \frac{\boxed{}}{\boxed{}} = \boxed{}$$



5

Zeke is sharing a pizza with Jia.



Three-quarters of half a pizza is more than half of three-quarters of a pizza because you get a bigger fraction.



Is Zeke correct? Circle **Yes** or **No**.

Yes / No

Explain your answer.

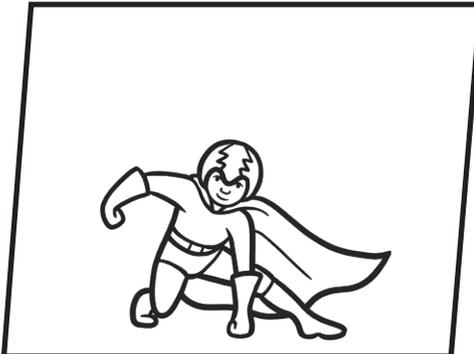


1 mark



TOTAL

MISSION COMPLETE!



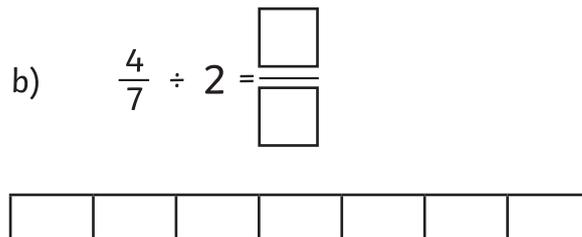
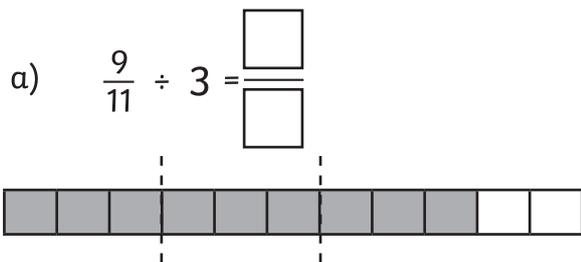
How confident do you feel?

DIVIDING FRACTIONS

SUPERCARGE!

SCORE: /2

Shade the bar models to help you answer these calculations.
The first one has been partially done for you.



Answers: a) $\frac{3}{11}$ b) $\frac{2}{7}$

BOOST YOUR SUPERPOWERS

To **divide** a proper fraction by a **whole number**, we write the whole number with a **denominator of 1**.

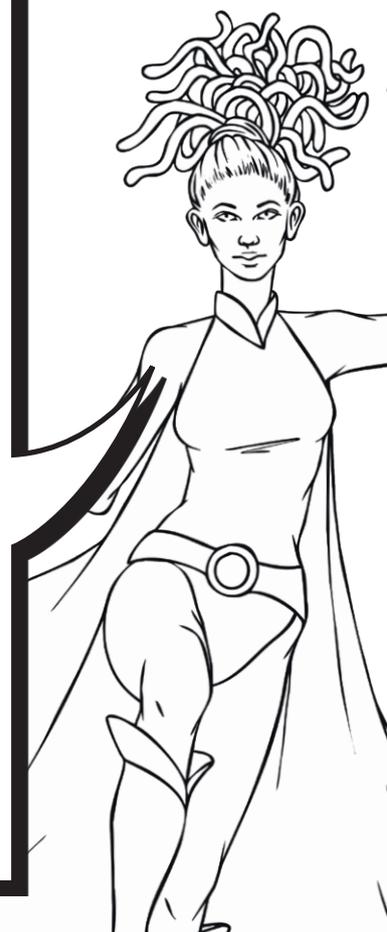
$$\frac{1}{4} \div 5 = \frac{1}{4} \div \frac{5}{1}$$

Then, we invert (flip) **the second fraction and multiply** because division is the **inverse** of multiplication.



$$\frac{1}{4} \div \frac{5}{1} = \frac{1}{4} \times \frac{1}{5} = \frac{1}{20}$$

In this example, to **divide by 5**, we can **multiply by one-fifth**.



1 Write each fraction in its **simplest** form.

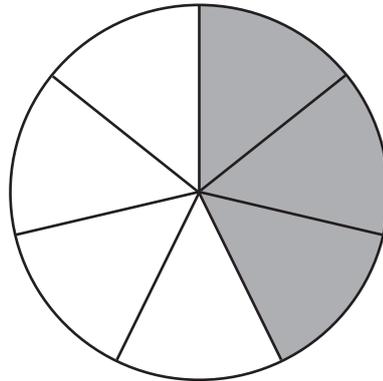
a) $\frac{4}{5} \div 3 =$

b) $\frac{5}{8} \div$ $= \frac{5}{32}$



2 marks

2 $\frac{3}{7}$ of the circle is shaded.



What fraction of the circle is **one white** part?



1 mark

3 Priya says,

$\frac{6}{15} \div 3 = \frac{2}{5}$

PRIYA



Priya is not correct.

Explain Priya's mistake.



1 mark

FRACTIONS OF AMOUNTS

SUPERCARGE!

SCORE: /5

Draw lines to match the equivalent values.

- a) $\frac{1}{4}$ of 28 b) $\frac{1}{3}$ of 27 c) $\frac{1}{5}$ of 30 d) $\frac{1}{3}$ of 24 e) $\frac{1}{2}$ of 20

6

7

8

9

10

Answers: a) 7 b) 9 c) 6 d) 8 e) 10

BOOST YOUR SUPERPOWERS

To find a **fraction of an amount**, we divide the amount by the **denominator** and **multiply** the answer by the **numerator**.

$\frac{2}{3}$ of 270

$270 \div 3 = 90$ $90 \times 2 = 180$

270		

We can also find the value of the **whole** from a given answer. We **divide** the **given answer** by the **numerator** to find the value of one part. Then, we **multiply** the value of **one part** by the **denominator**.

$\frac{3}{5}$ of = 51

51				
17	17	17	17	17

$\frac{1}{5}$ of = $51 \div 3 = 17$ $17 \times 5 = 85 = \frac{5}{5}$



MATHS MISSION

1

Complete the calculations.

a) $\frac{3}{4}$ of 284 =

b) $\frac{7}{8}$ of = 560



2 marks

2

Emily is thinking of a number.

Emily says,

EMILY



$\frac{4}{5}$ of my number is 80

FELIX



Emily's number is 64
because $80 \div 5 = 16$
and $16 \times 4 = 64$

HARI



Emily's number is 100 because
80 divided by 4 is 20 and 20
multiplied by 5 is 100

Explain Felix's mistake.



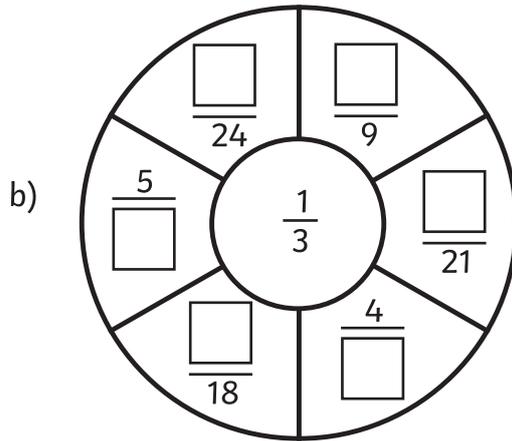
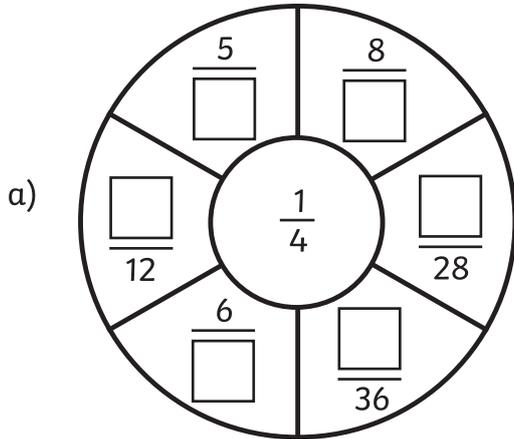
1 mark

EQUIVALENT FRACTIONS, DECIMALS AND PERCENTAGES

SUPERCARGE!

SCORE: /12

Fill in the missing values to make fractions equivalent to the one in the centre.

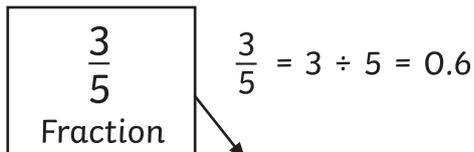


Answers: a) $\frac{32}{8}$, $\frac{28}{7}$, $\frac{9}{9}$, $\frac{36}{6}$, $\frac{24}{6}$, $\frac{3}{3}$ b) $\frac{9}{3}$, $\frac{21}{7}$, $\frac{12}{4}$, $\frac{18}{6}$, $\frac{15}{5}$, $\frac{24}{8}$

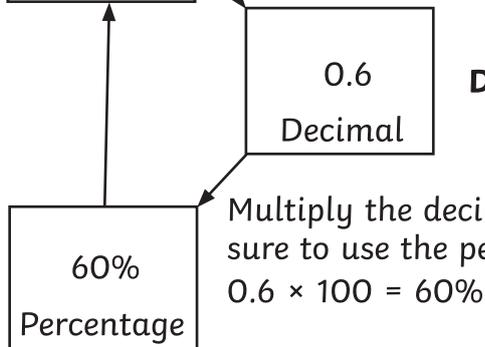
BOOST YOUR SUPERPOWERS

Fraction to Decimal

Divide the numerator by the denominator.



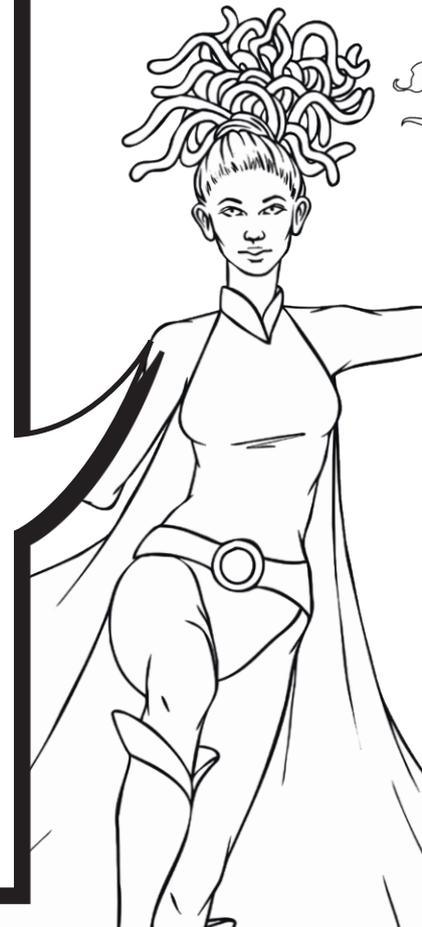
Decimal to Percentage



Percentage to Fraction

Write the percentage as a fraction with a denominator of 100 and simplify.

$$\frac{60}{100} = \frac{6}{10} = \frac{3}{5}$$



1

Put a tick (✓) in **each row** to complete this table.

	Greater than $\frac{1}{4}$	Less than $\frac{1}{4}$
0.3		
14%		
$\frac{4}{12}$		
0.21		



2 marks

2

Circle the **two** fractions that are equivalent to 0.8

$\frac{8}{10}$

$\frac{1}{80}$

$\frac{10}{80}$

$\frac{8}{100}$

$\frac{4}{5}$



1 mark

3

Priya says,

0.45 is greater than $\frac{4}{5}$

PRIYA



Explain why Priya is not correct.



1 mark

4

Use <, > or = to make these statements correct.

$$82\% \quad \square \quad 0.8$$

$$0.12 \quad \square \quad \frac{12}{1000}$$



1 mark

5

Write in the missing values.

$$0.91 = \frac{\square}{1000}$$

$$1.168 = \frac{\square}{1000}$$

$$\square = \frac{104}{1000}$$

$$\square = \frac{73}{1000}$$



2 marks

17

TOTAL

MISSION COMPLETE!



How confident do you feel?

USING PERCENTAGES IN PROBLEMS

SUPERCHARGE!

Complete the table to find 50%, 25% and 10% of these amounts.

Amount	50%	25%	10%
100	50	a)	b)
20	c)	d)	2
160	e)	40	f)
24	12	g)	h)

SCORE: /16

Complete the table to find 20%, 10% and 1% of these amounts.

Amount	20%	10%	1%
400	i)	40	j)
2500	k)	250	i)
60	12	m)	n)
350	o)	p)	3.5

$\xleftarrow{\times 2}$ $\xrightarrow{\div 10}$

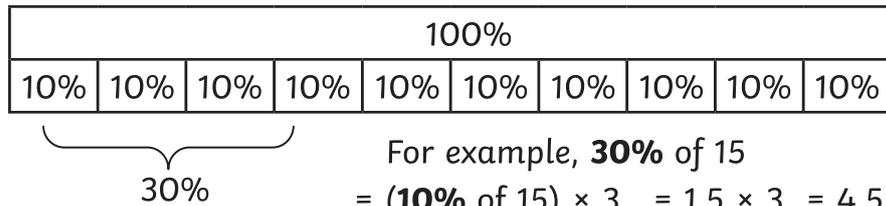
Answers: a) 25 b) 10 c) 10 d) 5 e) 80 f) 16 g) 6 h) 2.4 i) 80 j) 4 k) 500 l) 25 m) 6 n) 0.6

Answers: a) 25 b) 10 c) 10 d) 5 e) 80 f) 16 g) 6 h) 2.4 i) 80 j) 4 k) 500 l) 25 m) 6 n) 0.6

BOOST YOUR SUPERPOWERS

One way of calculating a percentage of an amount is to **convert** the percentage to an **equivalent fraction**, e.g. **50%** of 18 = $\frac{1}{2}$ of 18 = **9** **10%** of 30 = $\frac{1}{10}$ of 30 = **3**

To find more complex percentages of amounts, we can use **multiples** of our known percentages.

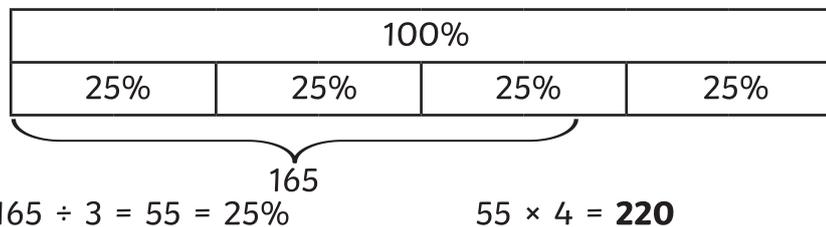


We can also break complex percentage calculations down into easier steps.

45% of 80 = **50%** - **5%** = 40 - 4 = 36

If we know the value of a percentage of an amount, we can use this to calculate the **whole amount** e.g.

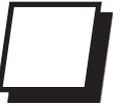
75% of = 165



MATHS MISSION

1

Calculate 55% of 480



1 mark

2

Calculate 19% of 4500



1 mark

3

Emily took part in a maths quiz which had 25 questions.



I answered 50% of the questions.

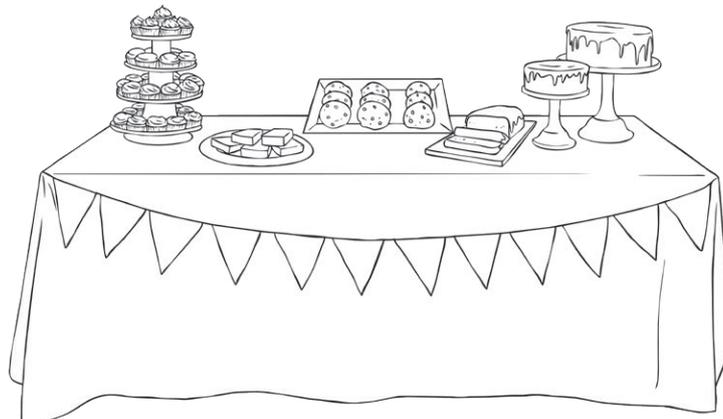
Explain why Emily cannot be correct.



1 mark

4

Amrit and her friends made 140 cupcakes for a bake sale. She sold 75% of the **cupcakes**.



How many cupcakes did Amrit sell?

cupcakes



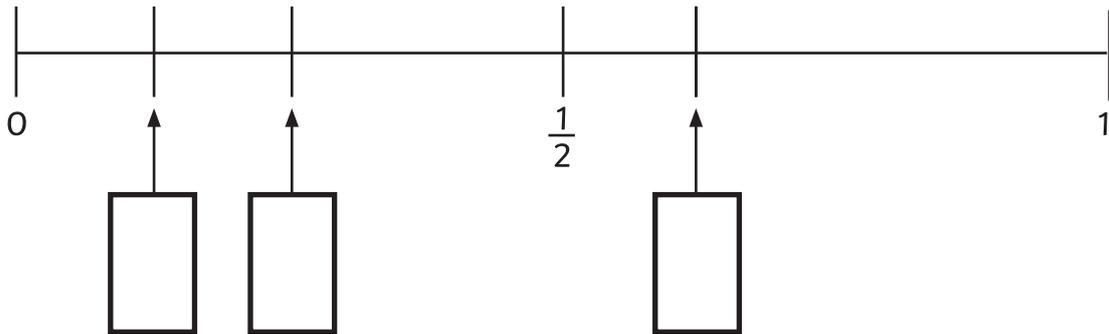
1 mark

FRACTIONS, DECIMALS AND PERCENTAGES MIXED PRACTICE

1

Here are three fractions. $\frac{5}{20}$ $\frac{5}{8}$ $\frac{5}{40}$

Write the fractions in the correct place on the number line.



2

Priya writes, $\frac{1}{3} + \frac{4}{7} = \frac{5}{10} = \frac{1}{2}$ Elias writes, $\frac{1}{3} + \frac{4}{7} = \frac{19}{21}$

Who is correct?

Explain the mistake that has been made.



3

Write in the missing values to complete the calculation.

a) $\frac{2}{3} \div \square = \frac{1}{6}$

b) $\square \div 3 = \frac{7}{60}$



4

This table shows Abi's test results for three different papers.

Paper	Mark
Arithmetic	$\frac{72}{80}$
Reasoning paper 1	$\frac{12}{15}$
Reasoning paper 2	$\frac{14}{20}$
Spelling	80%

a) In which subject did Abi get the **highest** mark?

b) In which **two** papers did she get the **same** mark?



1 mark



1 mark

5

Felix asked some children to choose their favourite Study Squad superhero.

These were the results.

Superhero	Number of children
The Fraction Flame	11
Captain Calculation	12
Doctor Digit	17

What percentage of the children chose Captain Calculation?

 %

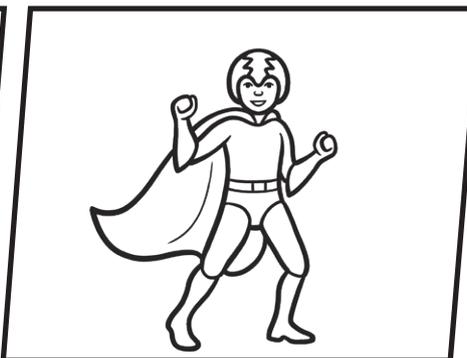
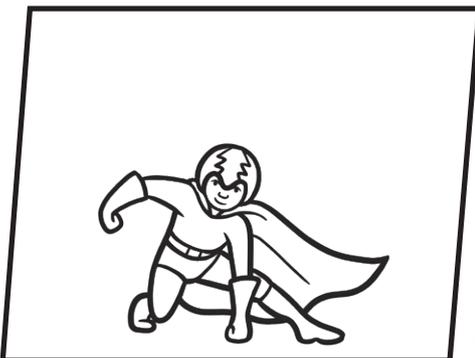

1 mark



/7

TOTAL

MISSION COMPLETE!



How confident do you feel?

PROGRESS TRACKER

Write your scores from each concept in this unit to track your progress.

Simplifying Fractions	/9
Converting between Mixed Numbers and Improper Fractions	/7
Equivalent Fractions	/7
Comparing and Ordering Fractions	/7
Adding and Subtracting Fractions	/7
Multiplying Fractions	/7
Dividing Fractions	/7
Fractions of Amounts	/7
Equivalent Fractions, Decimals and Percentages	/7
Using Percentages in Problems	/6
Fractions, Decimals and Percentages Mixed Practice	/7
TOTAL	/78

SELF-REFLECTION



What went well:



My target to improve:

RECHARGE

It's time to recharge ready for the next unit with this mindfulness colouring page.



SUPERCARGE!

SCORE: /7

Use your knowledge of common factors to complete the multiplication grids.

4	×	a)		= 40
×		×		
b)		c)		= 96
		×		
= 32				= 120

d)	×	e)		= 56
×		×		
f)		g)		= 45
		×		
= 60				= 42

Answers: a) 10 b) 8 c) 12 d) 4 e) 14 f) 15 g) 3

BOOST YOUR SUPERPOWERS

A ratio shows the relationship between two quantities. The total amount could increase or decrease but the parts remain proportional.

Here are six pieces of fruit.



The ratio of apples to bananas is 2:4

Like fractions, ratios can be simplified using a common factor. In this example, 2 and 4 have a common factor of 2 so the ratio can be simplified to 1:2

There are 36 pieces of fruit in a box.

The ratio of grapes to strawberries is 4:5

36 pieces of fruit								
G	G	G	G	S	S	S	S	S

There are **9** parts altogether.

Each part is worth **4**

$$36 \div 9 = 4$$

$$\text{grapes: } 4 \times 4 = 16$$

$$\text{strawberries: } 5 \times 4 = 20$$



4

Jia was born in 2010.
Her younger brother was born in 2022.
They have the **same birthday**.

On their birthday in 2023, the ratio of Jia's age to her brother's age was 13:1

a) What will the ratio of their ages be on their birthday in **2025**?

Write it in its simplest form.

:



1 mark

b) In what year will their age ratio be 3:1?

show
your
method



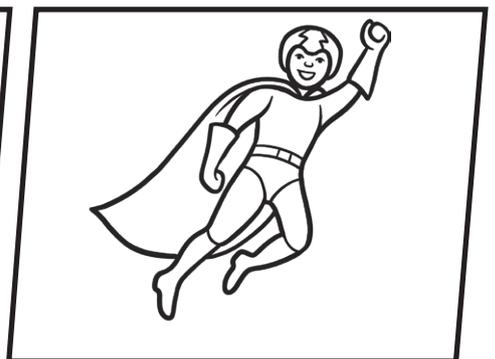
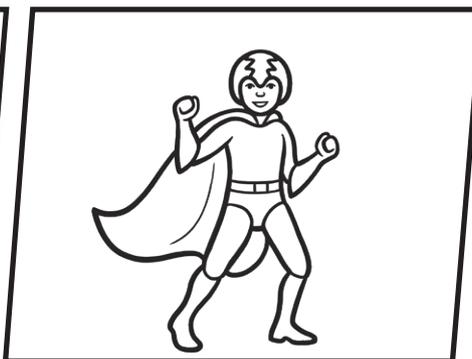
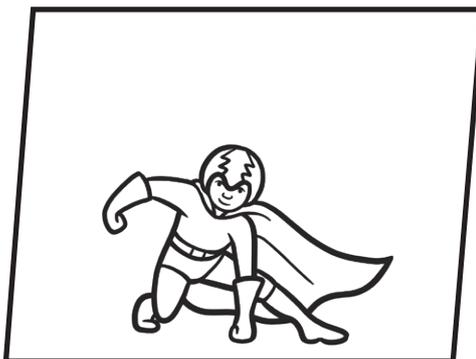
2 marks



/8

TOTAL

MISSION COMPLETE!



How confident do you feel?

SUPERCARGE!

SCORE: /10

For each question below, write either \times , \div or $=$ in the **box** and a **whole number** on the **line** to make the calculations correct.

a) $5 \square \text{ --- } = 30$

f) triple $\text{---mm} \square 45\text{mm}$

b) $48 \square \text{ --- } = 6$

g) $96 = 12 \square \text{ ---}$

c) $63 = 9 \square \text{ ---}$

h) double $\text{---} \square 32$

d) $4 \square \text{ ---cm equals } 24\text{cm}$

i) $81 \square \text{ ---} = 9$

e) $\text{---} \square 7 = 49$

j) $7 = 42 \square \text{ ---}$

Answers: a) $\times 6$ b) $\div 8$ c) $\times 7$ d) $\times 6$ e) 7×6 f) $\div 3$ g) $\div 16$ h) $\times 8$ i) $\div 9$ j) $\div 6$

BOOST YOUR SUPERPOWERS

Scaling is when you **reduce** or **enlarge** dimensions **proportionally**. We use **multiplication** and **division** to calculate scale factors.

A **scale factor** is the number multiplied by all measurements of a shape to get the same shape in a different, **proportionate** size.

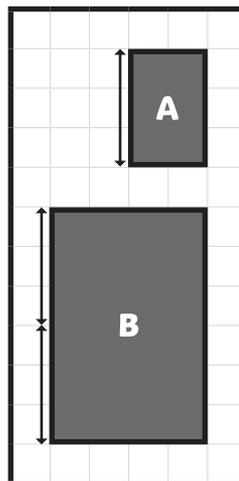
This means that the scale factor is the **ratio** between the measurements of the corresponding sides of a shape.

The length of shape A is **3** and the width is **2**

The length of shape B is **6** and the width is **4**

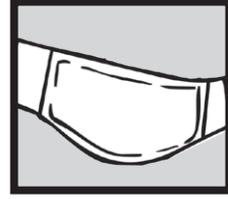
The dimensions of shape B are **2 times** (twice) as big as shape A.

Shape A has been enlarged by a **scale factor of 2** to make shape B.

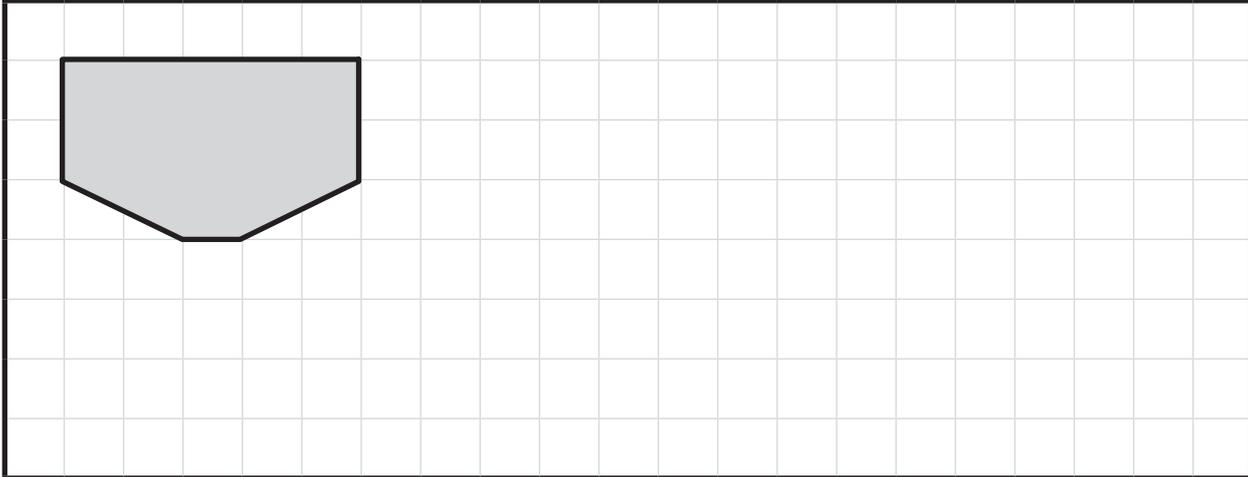


MATHS MISSION

- 1 The Ratio Rescuer's belt buckle has been enlarged by a **scale factor of 2** in preparation for making a large sculpture of him.

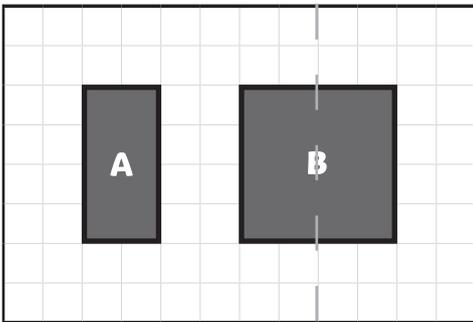


Draw the **enlarged belt** on the grid with a ruler.



2 marks

- 2 Elena has been practising enlarging shapes.



Shape B is twice the size of shape A so this means that shape A has been enlarged by a scale factor of 2 to make shape B.



Is Elena correct? Circle Yes or No.
Explain your reasoning.

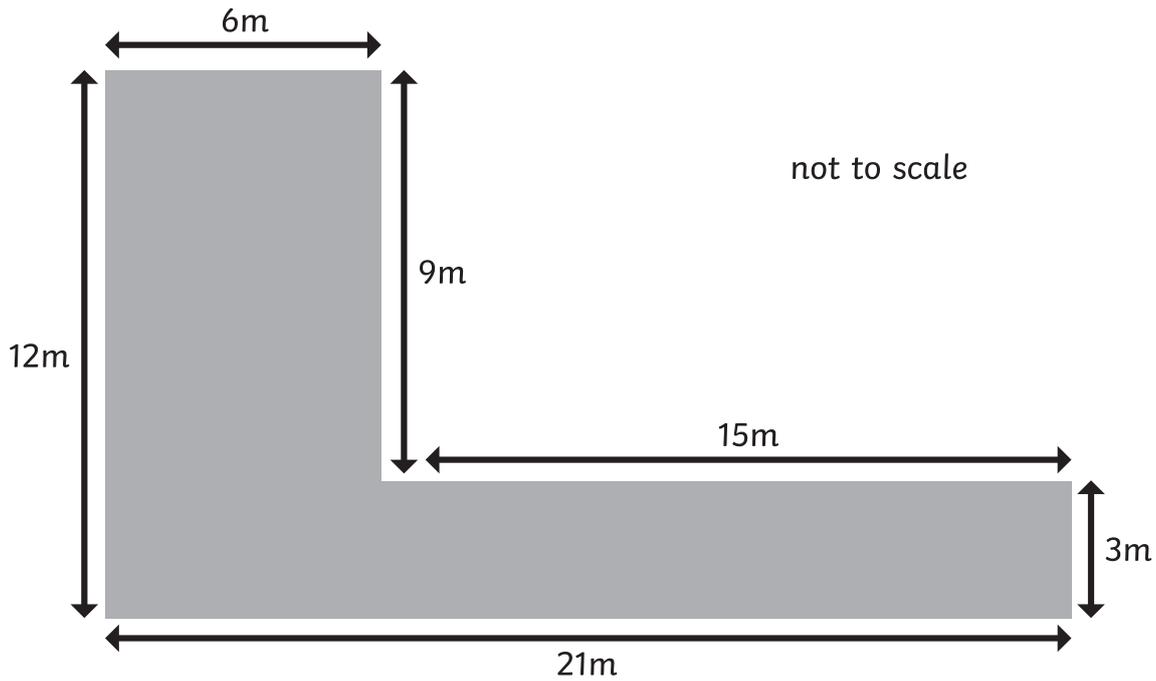
Yes / No



1 mark

3

This shape is the **result** of an enlargement by a scale factor of 3



What is the perimeter of the original shape?

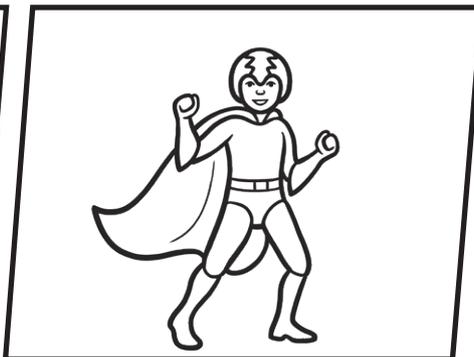
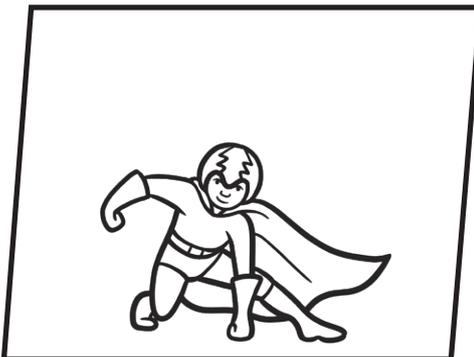


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

PROPORTION

SUPERCARGE!

SCORE: /3

Look at the images of the Maths Heros in the box below.



Write the proportion of each superhero as a fraction in its simplest form. The first one has been done for you.

= $\frac{1}{5}$

a) = $\frac{\square}{\square}$

b) = $\frac{\square}{\square}$

c) = $\frac{\square}{\square}$

Answers: a) $\frac{10}{3}$ b) $\frac{5}{2}$ c) $\frac{10}{1}$

BOOST YOUR SUPERPOWERS

Proportion tells us the relationship between a part and a whole.



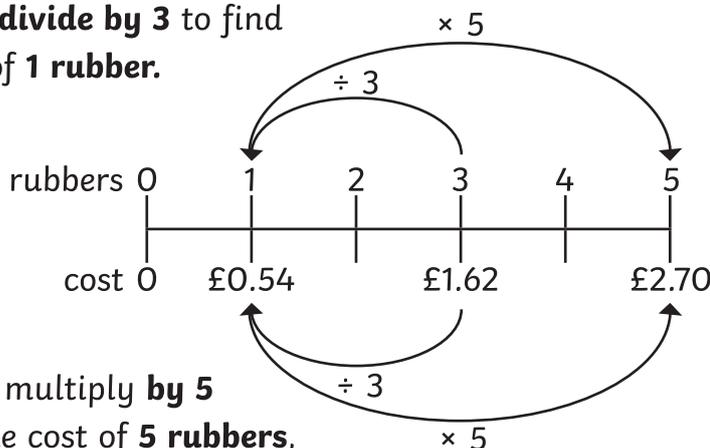
In this example, the proportion of squares is 2 out of 5 and the proportion of circles is 3 out of 5

Double number lines can help us to solve proportion problems.

The cost of **3** rubbers is **£1.62**

How much do 5 rubbers cost?

First, we **divide by 3** to find the cost of **1 rubber**.

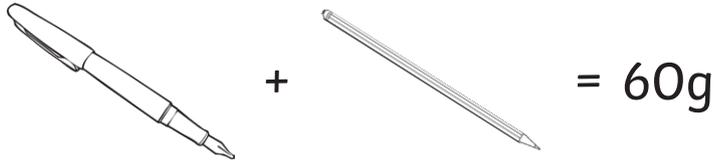


Then, we multiply **by 5** to find the cost of **5 rubbers**, which is **£2.70**



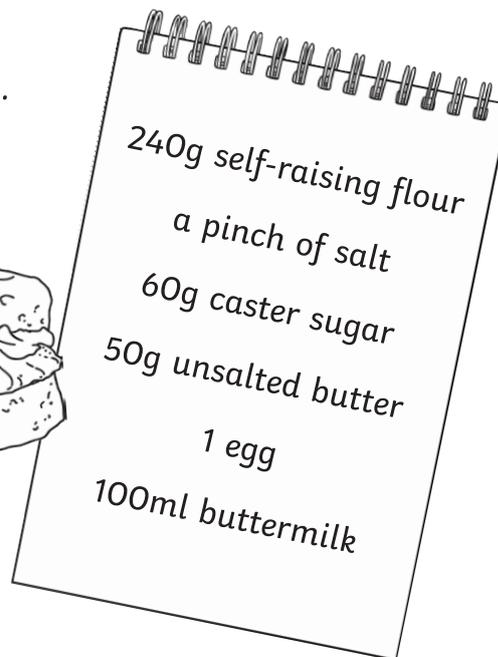
MATHS MISSION

- 1 The mass of a pencil is one-third of the mass of a pen.
If the **total** mass of **one pencil** and **one pen** is **60g**, what is the mass of the **pen**?



1 mark

- 2 Here is a recipe for scones.



Drew makes the recipe using **2** eggs.
What mass of **unsalted butter** should they use?



1 mark

Joseph makes the recipe using **40g** of **caster sugar**.
What mass of **self-raising flour** should he use?



1 mark

3

Hari says,

HARI



If I know the cost of 9 apples, I can work out the cost of 10 apples, as long as all apples cost the same.

Do you **Agree** or **Disagree** with Hari?

Agree / Disagree

Explain your answer.

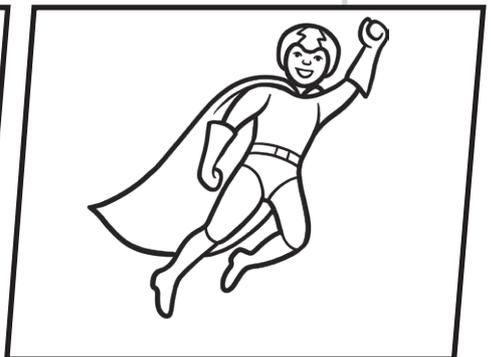
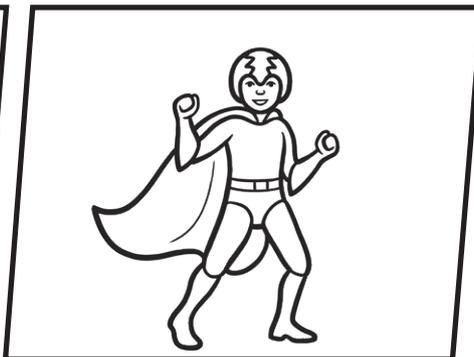
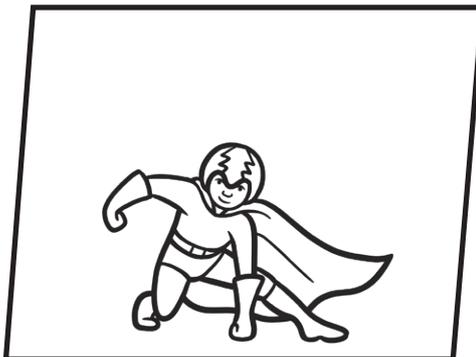


1 mark



TOTAL

MISSION COMPLETE!



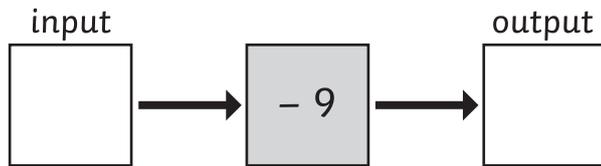
How confident do you feel?

SUBSTITUTING AND FORMULAS

SUPERCARGE!

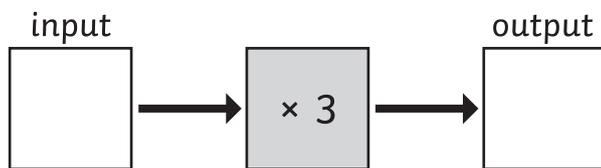
SCORE: /4

Look at the function machines and answer the questions.



a) If the **input** is 45, what is the **output**? _____

b) If the **output** is 21, what is the **input**? _____



c) If the **input** is 7, what is the **output**? _____

d) If the **output** is 33, what is the **input**? _____

Answers: a) 36 b) 30 c) 21 d) 11

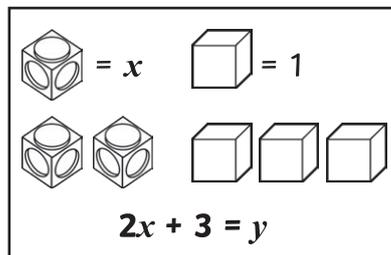
BOOST YOUR SUPERPOWERS

In maths, the value of an unknown variable can be represented by an **algebraic letter**, e.g. a , p , x

We can use these unknown values in **expressions** to show that an operation has been performed on an unknown value, e.g. $2x$, which means $x \times 2$

A mathematical **formula** expresses the relationship between different **unknown values**.

When we **substitute** a number in the place of one of the unknown variables in the formula, we can find the value of the other variable.



If $x = 6$
 $y = (2 \times 6) + 3$
 $y = 15$



MATHS MISSION

1

 = 7

 = 11

 = 2

a)  +  -  =

b)  ×  +  =



1 mark



1 mark

2

$p = 32$

What is $3p + 7$?



1 mark

3

Elena shares some sweets (s) between 4 of her friends.
Which expression shows the number of sweets each of Elena's friends gets?

Tick **one**.

$4 \div s$

$s \div 4$

$s - 4$

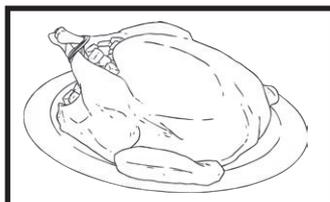
$4s$



1 mark

4

Here is a rule for the time it takes to cook a turkey.



cooking time = 15 minutes plus an extra 40 minutes for each kilogram

How many minutes would it take to cook a 4kg turkey?

minutes



1 mark

5

Circle one formula that shows the relationship between c and d .

c	1	2	3	4
d	7	12	17	22

$d = 5c + 2$

$d = 2c + 5$

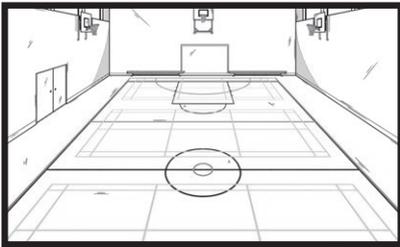
$c = 5d + 2$



1 mark

6

The Superhero Training College hires out the sports hall to local clubs. They use this formula to work out the price of a club hiring out the sports hall.



price = £3.50 booking fee + £7.50 per hour

What is the price for hiring out the sports hall from 9 a.m. until 12 p.m.?

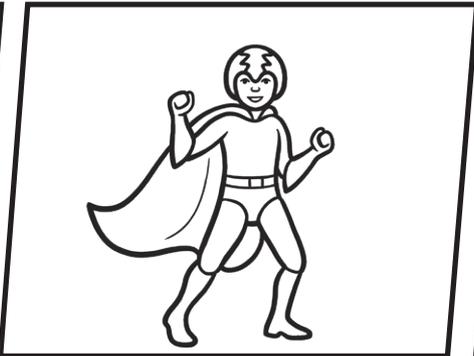
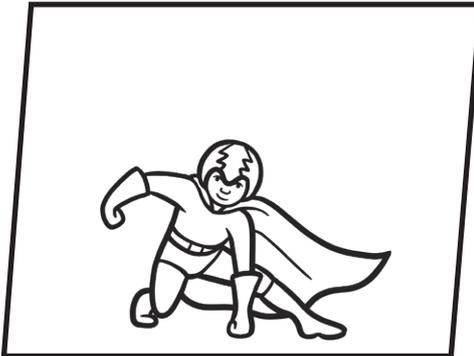
£



1 mark

TOTAL

MISSION COMPLETE!



How confident do you feel?

SOLVING EQUATIONS

SUPERCARGE!

SCORE:

What number am I?

a) I start with a number.

I multiply it by 4

I add 9

I divide it by 11

I end with the number 3

What number did I start with?

b) I start with a number.

I subtract 19

I divide it by 8

I add 27

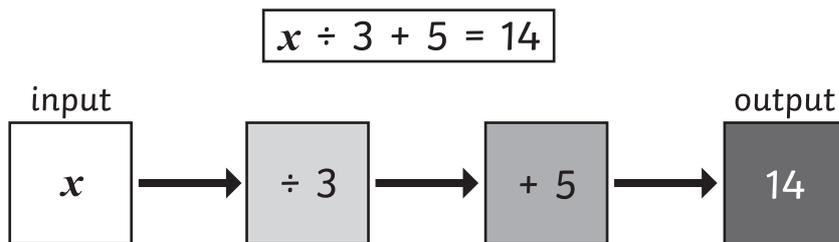
I end with the number 36

What number did I start with?

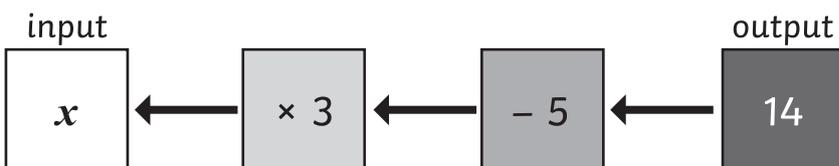
Answers: a) 6 b) 91

BOOST YOUR SUPERPOWERS

In algebra, we use letters to represent unknown values.



We can **work backwards** and use the **inverse operations** to find the value of an algebraic letter in a **formula** or an **equation**.



$x = 27$



MATHS MISSION

1

$$2s - 7 = 85$$

Work out the value of s .

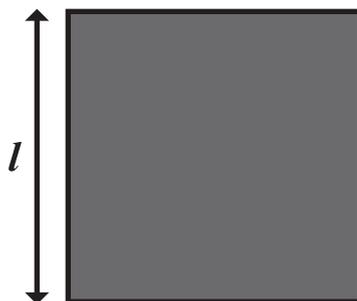
$$s = \boxed{}$$



1 mark

2

The perimeter of this square is 34cm.



Work out the value of l .

$$l = \boxed{} \text{ cm}$$



1 mark

3

Bartek says,

$$\begin{aligned} 5x &= 325 \\ x + 38 &= 103 \end{aligned}$$

The value of the letter x is the same in both of these equations.



Do you **Agree** or **Disagree** with Bartek?

Agree /Disagree

Explain your answer.



1 mark

SOLVING PROBLEMS WITH TWO UNKNOWN

SUPERCARGE!

SCORE: /11

$$a + b = 10$$

a and b are both positive, whole numbers.

Find **all** the possible pairs of combinations of the values a and b .

a											
b											

Answers: $a = 0$ and $b = 10$, $a = 1$ and $b = 9$, $a = 2$ and $b = 8$, $a = 3$ and $b = 7$, $a = 4$ and $b = 6$, $a = 5$ and $b = 5$, $a = 6$ and $b = 4$, $a = 7$ and $b = 3$, $a = 8$ and $b = 2$, $a = 9$ and $b = 1$, $a = 10$ and $b = 0$

BOOST YOUR SUPERPOWERS

When we have to solve problems, where the values of two variables are unknown, we can use bar models. In both equations, w is the same value and p is the same value.

$$4w + 3p = 305$$



$$w + 3p = 155$$



By representing the two equations as bar models, we can see that the value of $3w$ can be found by finding the difference between the two totals.

$$\begin{aligned} 3w &= 305 - 155 = 150 \\ w &= 150 \div 3 \\ w &= 50 \end{aligned}$$

When you have found the value of one unknown, substitute this into one of the equations to find the value of the second unknown. Here $p = 35$.



MATHS MISSION

1

$$x + y = 200$$

x is a multiple of 5

y is greater than 100 but less than 130

Find **all** the possible values of x and y .

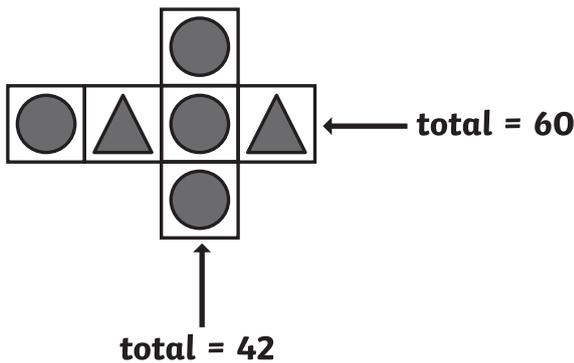
x					
y					



2 marks

2

Each shape represents a number.



Work out the **value** of each shape.

a) =

b) =

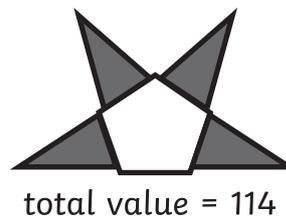
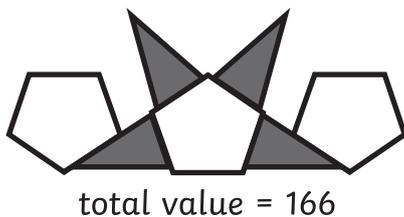


2 marks

3

Drew is making patterns with two different shapes.

They give each shape a value.



Calculate the value of each shape.

=

=



2 marks

4

a and b are **decimal** numbers.

$$a + b = 8$$

$$a - b = 1$$

What are the values of a and b ?

$$a = \boxed{}$$

$$b = \boxed{}$$



2 marks

5

These are the prices that two families pay to enter a theme park. All adult tickets are the same price and all child tickets are the same price.

$$2 \text{ adult tickets} + 2 \text{ child tickets} = \text{£}13.00$$

$$2 \text{ adult tickets} + 5 \text{ child tickets} = \text{£}20.50$$



a) How much does a child ticket cost?

£



1 mark

b) How much does an adult ticket cost?

£

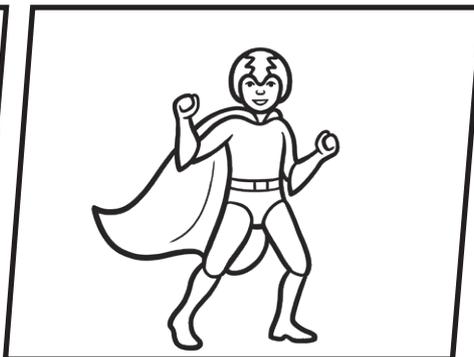
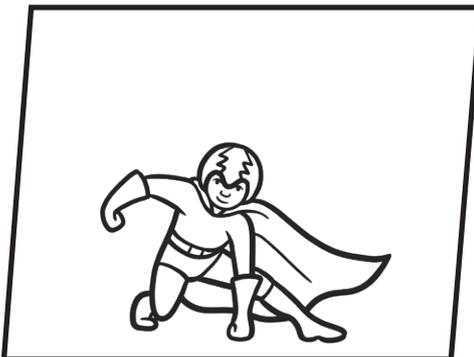


1 mark

/10

TOTAL

MISSION COMPLETE!



How confident do you feel?

RATIO, PROPORTION AND ALGEBRA MIXED PRACTICE

1

Jia bought some bananas.
For every 4 bananas that Jia bought, 3 were ripe and ready to eat.
Altogether, 12 bananas were ripe and ready to eat.
How many bananas did Jia **buy**?



bananas



1 mark

2

A teacher uses this formula to calculate how much time their students are given to work through a maths quiz.
 m is the number of minutes given.
 q is the number of questions.



$$3q + 7 = m$$

a) How much time would students be given to answer a maths quiz with 16 questions?

minutes



1 mark

b) The teacher wants their students to complete the quiz in a 40 minute lesson.

How many questions can they include in the quiz?

questions



1 mark

c) The headteacher asks the teacher to prepare a quiz that takes less than 20 minutes for the students to complete.

Find all the possible values of m and q where m is the whole number of minutes given.

m				
q				



2 marks

3

A shop sells pasta at 80p for 500g.
How much would it cost for 1.25kg of pasta?

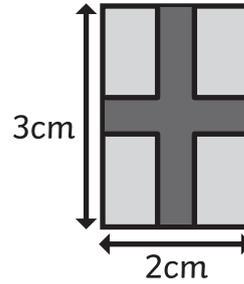
£



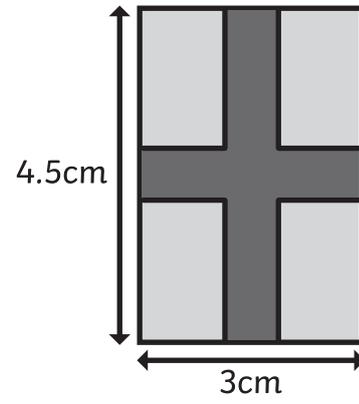
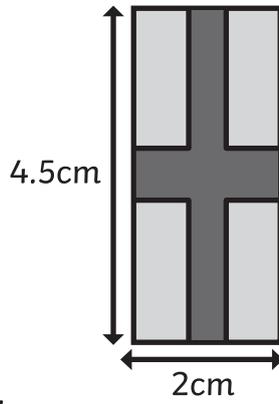
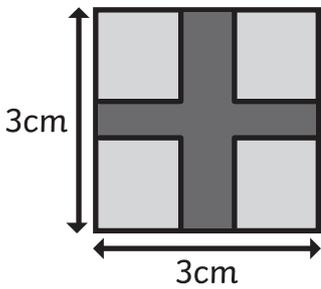
1 mark

4

Look at this shape.



Circle the image that has been enlarged by a scale factor of 1.5



Explain your answer.

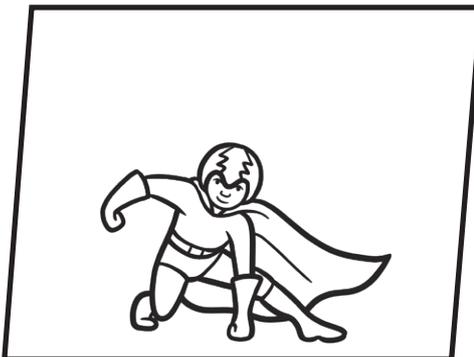


1 mark



TOTAL

MISSION COMPLETE!



How confident do you feel?

PROGRESS TRACKER

Write your scores from each step in this unit to track your progress.

Ratio	/ 8
Scale Factors	/ 4
Proportion	/ 4
Substituting and Formulas	/ 7
Solving Equations	/ 7
Solving Problems with Two Unknowns	/ 10
Ratio, Proportion and Algebra Mixed Practice	/ 7
TOTAL	/ 47



SELF-REFLECTION



What went well:



My target to improve:

RECHARGE

Complete the grids so that each row, column and smaller rectangle contains each of the digits from 1 to 6 once.

	2		3	6	
			5		2
1	5				4
2		3	1	5	6
4	3		6	1	
6	1		4	2	

	5			4	3
6				1	5
		6		3	
		3		6	
4	6	5	3		1
3			4	5	

6	3	2	4		
4		1	6	3	
	6	3	1		
1		5		6	
5			3		4
					6

5	2	4		3	
			5		2
	4		6	1	5
6	5	1		2	
			2	5	3
2			4	6	1

1	3	2			4
4	5	6		3	2
				1	
5	4	1	6		
2		5	3		1
3	1	4	2		

	6		5		
	4	3		2	
				5	
6					4
					1
	3		4		5

ROMAN NUMERALS

I	1	XXX	30
II	2	XL	40
III	3	L	50
IV	4	LX	60
V	5	LXX	70
VI	6	LXXX	80
VII	7	XC	90
VIII	8	C	100
IX	9	D	500
X	10	M	1000
XX	20	MD	1500

Remember:

When a Roman numeral with a smaller value comes **after** a Roman numeral with an equal or greater value, they are **added** together.

When a Roman numeral with a smaller value comes **before** a Roman numeral with a greater value, it is **subtracted** from the value of the greater number.

PLACE VALUE CHART

The column on the far left of the chart has the **greatest** value and the values gradually decrease the further right you go. The **greatest** value which gradually decreases the further right you go. After the **decimal** point, the value is **less than** one whole.

You can use equipment such as counters to help you **represent** different numbers. You can also use a pencil and a rubber to write numbers.

millionths	m		
hundred thousandths	hth		
ten thousandths	tth		
thousandths	th		
hundredths	h		
tenths	t		
● Ones	● O	●	●
Tens	T		
Hundreds	H		
Thousands	Th		
Ten Thousands	TTh		
Hundred Thousands	HTH		
Millions	M		

TIMES TABLES CHART

×	1	2	3	4	5	6	7	8	9	10	11	12
1	1	2	3	4	5	6	7	8	9	10	11	12
2	2	4	6	8	10	12	14	16	18	20	22	24
3	3	6	9	12	15	18	21	24	27	30	33	36
4	4	8	12	16	20	24	28	32	36	40	44	48
5	5	10	15	20	25	30	35	40	45	50	55	60
6	6	12	18	24	30	36	42	48	54	60	66	72
7	7	14	21	28	35	42	49	56	63	70	77	84
8	8	16	24	32	40	48	56	64	72	80	88	96
9	9	18	27	36	45	54	63	72	81	90	99	108
10	10	20	30	40	50	60	70	80	90	100	110	120
11	11	22	33	44	55	66	77	88	99	110	121	132
12	12	24	36	48	60	72	84	96	108	120	132	144

PRIME NUMBERS TO 100

A number greater than 1 with no divisors other than 1 and itself.

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

Remember:

There are no **even** numbers except 2

There are no prime numbers ending in **5**, except 5

The digits can't **add** up to 3 except 3 (digital root).

FACTORS AND MULTIPLES

Factors

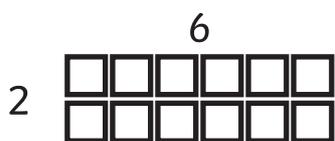
Find the different factors of a number by working out which numbers divide into it evenly.

What are all the factors of
12?

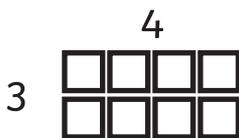
$$12 \div 1 = 12$$



$$12 \div 2 = 6$$



$$12 \div 3 = 4$$



The factors of 12 are:

1, 2, 3, 4, 6, 12

Remember:

A factor is a number that, when multiplied with another, produces a given number.

Multiples

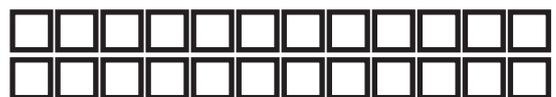
Multiples appear in the number's multiplication table. You can calculate them by counting on in steps of that number

What are all the multiples of
12?

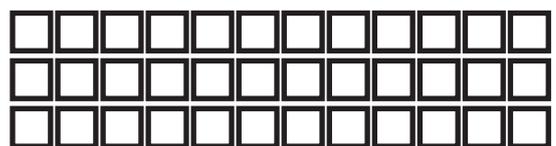
$$12 \times 1 = 12$$



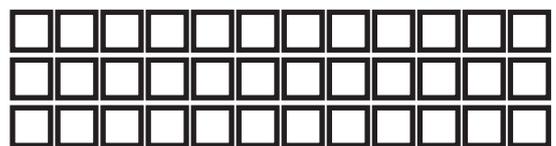
$$12 \times 2 = 24$$



$$12 \times 3 = 36$$



$$12 \times 4 = 48$$



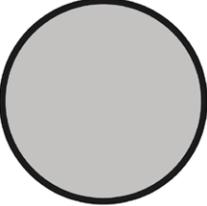
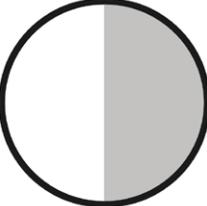
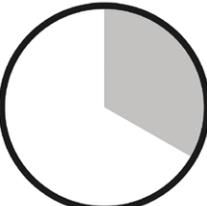
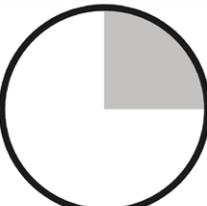
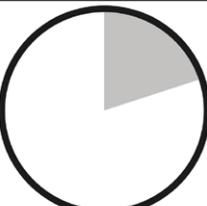
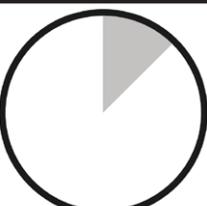
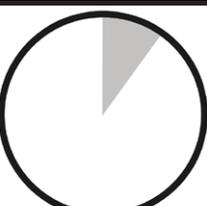
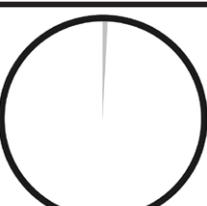
The multiples of 12 are:

12, 24, 36, 48...

Remember:

A multiple is a number that may be divided by another, a certain number of times, without a remainder.

FRACTIONS, DECIMALS AND EQUIVALENTS

	=	1	=	1	=	100%
	=	$\frac{1}{2}$	=	0.5	=	50%
	=	$\frac{1}{3}$	=	0.33	=	33.3%
	=	$\frac{1}{4}$	=	0.25	=	25%
	=	$\frac{1}{5}$	=	0.2	=	20%
	=	$\frac{1}{8}$	=	0.125	=	12.5%
	=	$\frac{1}{10}$	=	0.1	=	10%
	=	$\frac{1}{100}$	=	0.01	=	1%

SQUARE AND CUBE NUMBERS

Square Numbers	
1^2	$1 \times 1 = 1$
2^2	$2 \times 2 = 4$
3^2	$3 \times 3 = 9$
4^2	$4 \times 4 = 16$
5^2	$5 \times 5 = 25$
6^2	$6 \times 6 = 36$
7^2	$7 \times 7 = 49$
8^2	$8 \times 8 = 64$
9^2	$9 \times 9 = 81$
10^2	$10 \times 10 = 100$
11^2	$11 \times 11 = 121$
12^2	$12 \times 12 = 144$
13^2	$13 \times 13 = 169$
14^2	$14 \times 14 = 196$
15^2	$15 \times 15 = 225$

Cube Numbers	
1^3	$1 \times 1 \times 1 = 1$
2^3	$2 \times 2 \times 2 = 8$
3^3	$3 \times 3 \times 3 = 27$
4^3	$4 \times 4 \times 4 = 64$
5^3	$5 \times 5 \times 5 = 125$
6^3	$6 \times 6 \times 6 = 216$
7^3	$7 \times 7 \times 7 = 343$
8^3	$8 \times 8 \times 8 = 512$
9^3	$9 \times 9 \times 9 = 729$
10^3	$10 \times 10 \times 10 = 1000$
11^3	$11 \times 11 \times 11 = 1331$
12^3	$12 \times 12 \times 12 = 1728$
13^3	$13 \times 13 \times 13 = 2197$
14^3	$14 \times 14 \times 14 = 2744$
15^3	$15 \times 15 \times 15 = 3375$